



John Dominy school exercise book

[newspaper, The Spectator, March 30, 1803, used as covers] : geometry, trigonometry.

1810

Dominy, John
[s.l.]: [s.n.], 1810

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and top the bonie vane,
and own lucre to the beaming eyes,
mid the modest bush in sweetness rise,
Unfeign'd affection, in the bosom glow,
And the te're brighten at the sight of woe,

Till native beauty shine, from blenish free,
And what Almiz is each lovely maid shall be.

* *Twickenham* is the proper name of the place at which Pope used to reside:—But in his political writings, he more commonly spelt it in the manner above.

RIGHTS OF JURIES.

The following anecdote, extracted from a British periodical publication, entitled "The Patriot," finishes one among a thousand instances of overbearing arrogance in a Judge and honest independent Jury.

Boston Cour.

A *London* Judge, not many years since, travelled the northwest circuit in England, came to the trial of a cause in which much of the local consequence of some demagogues in the neighbourhood was concerned: it was the cause of a landlord's prosecution against a poor man, his tenant, for assault and battery, committed on the person of the prosecutor by the defendant, in defence of his only child, an innocent and an intriguing girl, from ravishment. Not only did the whole *Bar*, dined with the prosecutor's father the day before the trial, and some of them, to this day, praise the finer to the favourite question of the defenders and venison and claret.—Next day the poor man, of duelling.—“How is it to be refused?—Let this answel.”—The prosecutor appeared and swore before the Judge, of the Marshal, answel them:—“A most manfully to every tye of the indictment. He was cross examined by the jurors, who were honest tradesmen and respectable farmers. The poor man had no conduct which follows, of real worth, imagined by any of the spectators to tell his story. He pleaded his own cause? not to the *sencyz* but, to the judgment and to the rearer.—The jury found him “*Not Guilty*.”—

The Court was enraged; but the surrounding spectators exulted in a shout of applause.

The Judge told the jury they must go back to their jury-room and reconsider the matter, adding, “he was astonished they could

the public street, accompanied by two other

service and the best of our *Opinions* on the subject. Is per int. I. Gentlemen may have their shaw-shovels filled with Shaving Soap, at 2s. each. It we have erred, we are answerable not to a most beautiful coral red to the lips, & ones rough about 250 acres. The pleasant and agreeable situation of these Farms need not be described, as a view of them will be sufficient to satisfy. A suitable store creatures, of every description, will be sold to the less and cheap, leaves them quite smooth and beautiful, 2 and 4s. per box.

Smith's Purified Alpine Shaving Cake, made on the whole well watered with good springs. Any of the same size in the state will do; and if it also

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Gentlemen, as a place called Marwick, adjoining the of the former convenience, healthy, and comfortable.

South Bay. One of the said Farms containing about down to clover, and its price is per acre, £15.00.

700, another about 60, another 400, and another the last summer past, (although

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(1) Practical Geometry

Problem 1. To draw a Line parallel to a given line

Definition. Parallel Lines are of equal Distance and if infinitely produced (being in the same Superficies) will never meet as the Lines $A B$ and $C D$. Example.

$A B$ the Line given and C is a point given.



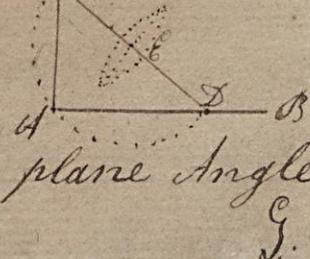
Problem 2. To bisect or divide a given Line into two equal parts. Example. $A B$ is the given Line. To find the middle thereof is required.



Problem 3. To erect a perpendicular from a point in a given line. Examples



Problem 4. To let fall a perpendicular from a given point to a given line. Example.



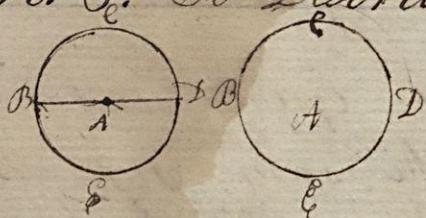
Problem 5. To make a plane angle.



(2)

Continued

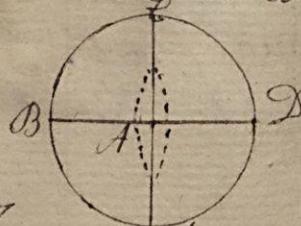
Problem 6. To Describe a Circle having its diameters given.



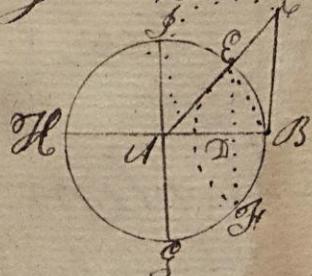
Problem 7 To draw the periphery of a Circle through any three Points not in a right Line. Example.



Problem 8 To quarter a Circle or in a Circle to draw two diameters at right angles. Example.



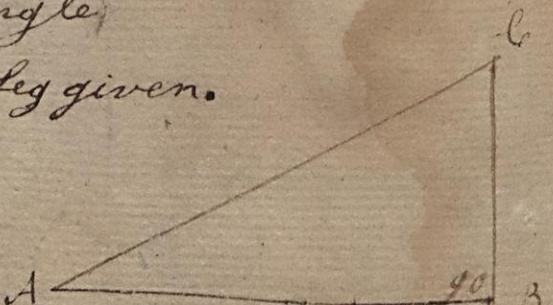
Problem 9 To find the Chord, Sine, Tangent, and Secant of an arc of a circle.



Problem 10 To make a Right angle Triangle the Hypotenuse and one Angle given.



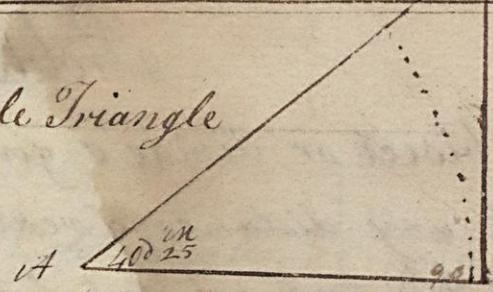
Problem 11 To make a Right angle Triangle the Hypotenuse and one Leg given.



(3)

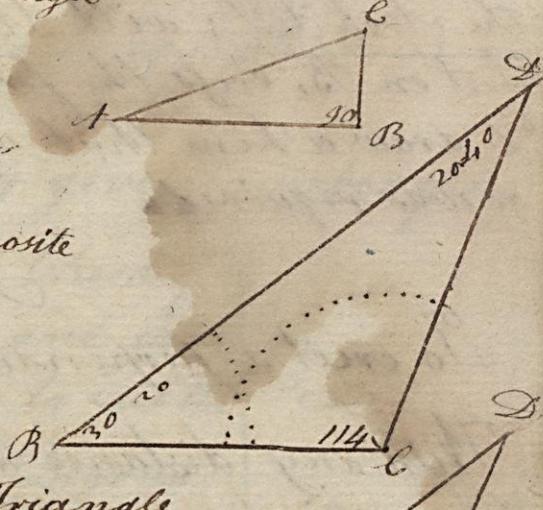
Continued January 30th 1810

Problem 12. To make a Right Angle Triangle one Leg and one Angle given.



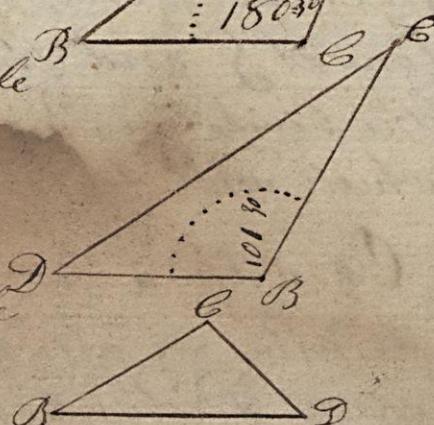
Problem 13 To make a Right Angle Triangle the Legs given.

Problem 14 To make an Oblique Triangle two angles and one side opposite given.

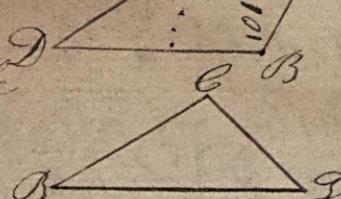


Problem 15 To make an Oblique Triangle two sides and one angle opposite given.

Problem 16 To make an Oblique Triangle two sides and an included Angle given.



Problem 17 To make an Oblique Triangle three sides given.



Geometrical Problems.

Problem 1

To draw a line parallel to a given line.

Take with a pair of compasses the nearest

Distance between the given point C and the

Line AB. With that distance and one foot of the Compasses any where in the Line AB draw the arch D and its done for the Line CD is parallel to the Line AB as was required.

(4)

Continued. Jan^r 30th 1810

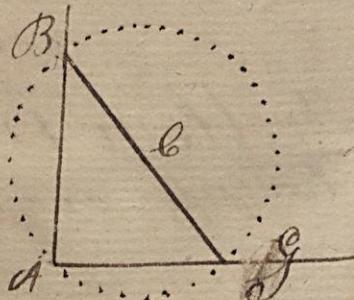
Problem 2.

To bisect or divide a given Line into two equal Parts.
 With any distance greater than half the given
 Line AB and one foot of the compasses on A , describe
 the Arch CD ; with the same Distance and one
 Foot on B , cross the former Arch in C and D ; by C and
 D draw a line that will cut AB in E the Middle,
as was required.

Problem 3

To erect a perpendicular at the End of a given Line as AG

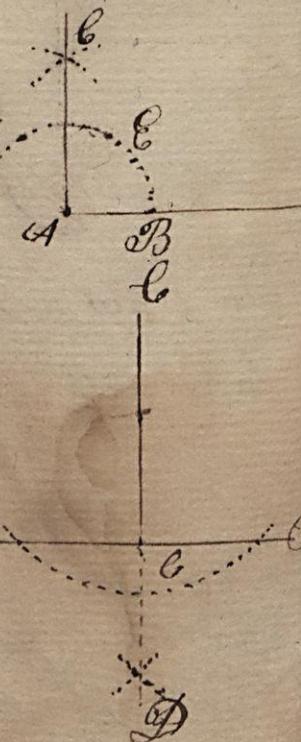
With any distance as from A to C in your
 compasses and one foot in C describe a circle
 so that it may just touch the End of the
 given Line in t , from where that cuts the
 Line at G , and through C draw a Line to cut
 the circle in B , from B draw the Line AB ,
 which will be the Perpendicular required.



Or with a convenient Distance in your compasses
 describe an arch as $F B$ set off the
 same Distance from B to E , with one foot
 in E . describe an Arch, and with the same
 Distance and one Foot in F , describe an Arch
 to cut the former Arch in C from C to A draw FC
 a Line and it is done.

Problem 4

From a point as at C , to let fall a perpendicular
 on the Line AB . With one foot in C
 describe an arch to cut the given line in $A B$, with one foot in B describe an Arch; and
 with the same Radius and one foot in A descri-
 be an Arch to cut the former in D , and from
 D to C draw a Line and it is done.

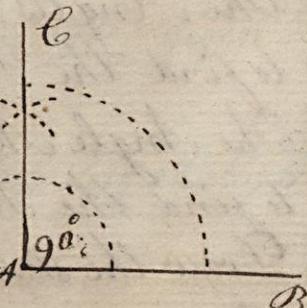


(6)
Continued Jan^r 31st

Problem 5

To make Plane Angles.

At A in the Line AB to make a Right Angle
erect the perpendicular AC and it is done; for
the Angle BAC is a Right Angle containing 90°
Degrees.



To make an angle equal to any given number of deḡ

Draw the Line AB. and take always a Chord of
60° from the Scale in your Compasses and with
one foot in A describe the Arch DE to cut the
Line AB in D; take any number of Degrees
suppose 42° 30', from the line of Chords and
lay it upon the Arch from D to E; by A and
E draw the Line AE and it is done; for the
Angle BAE is an Acute Angle containing 42° 30'



To make an Obtuse Angle Equal to 102°

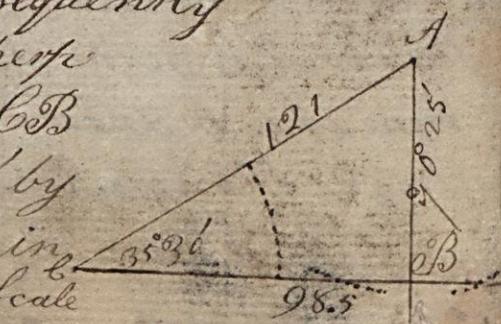
Draw the Line BC, and upon BC describe
an Arch as before with a Chord of 60°
to cut BC in E on that Arch set off E
G equal to 90° from G set off 12° towards F; by
B and F draw the Line BD and it is done.



Problem 6

The Angles and Hypotheneuse of a Right Angle Triangle
given to find either of the Legs.

Given the Hypotheneuse 121 Leagues, the Angle
opposite to the Base 54° 30' and consequently
the other Angle 35° 30' the Base and perp-
endicular are required. Draw the Lines CB
and at C make an Angle equal to 35° 30' by
drawing the Line CD take 121 Leagues in
your Compasses from any Conveniant Scale



of Equal Parts and set that off from C to D
done from A let fall the perpendicular CB to cut the Line CD and it is

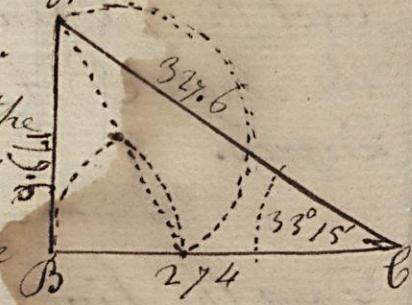
(6)
Continued Feb 1st 1810

Problem 7

The Angles and one Leg of a Right Angled Triangle being given to find the Hypotenuse and the other Leg.

The Angle $\angle B C$ $33^{\circ} 15'$, the Leg $B C$ 274 Miles, given to find the Hypotenuse and the other Leg $A B$.

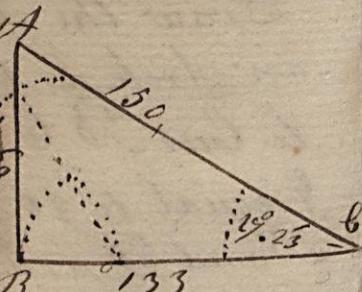
Draw the Base $B C$ equal to 274, upon B erect the Perpendicular $B A$; from C draw the Line $C A$ making an angle with $B C$ of $33^{\circ} 15'$ to cut the Line $B A$ in A and it is done.



Problem 8

The Hypotenuse and one Leg given to find the Angles and the other Leg.

The Leg $A B$ 69, the Hypotenuse 150, given to find the angles and Leg $B C$. Draw the Base $B C$ upon B erect the perpendicular $B A$ upon which set of 69 take 150 in your compasses and with one foot on A lay the other on the Base as at C , from C to A draw a Line and it is done; for the angle $B C A$ being measured by a Chord of 60° will be $27^{\circ} 23'$ which being subtracted from 90° leaves the angle $A 62^{\circ} 37'$, and the Leg $B C$ 133, as was required.



Problem 9

The Legs given to find the Angles and Hypotenuse
The Leg $A B$ 980, $B C$ 690 given to find the Angle $B A C$ or $A C B$ and the Hypotenuse $A C$.

Draw the Base $B C$ and on B erect the Perpendicular $B A$ make $B C$ equal to 690 and $B A$ 980 from A to C draw a line, and it is done for the angle being measured as before will be found as in the figure and the Hypotenuse 1198.00 was required.



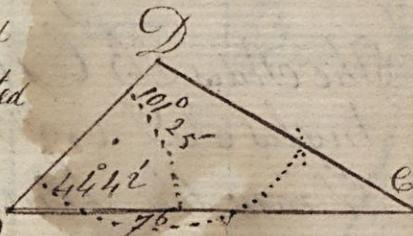
(7)
Continued Feb^r 2^d 1810

Problem 10

Two Angles and one side of an Oblique angled Triangle given to find either of the other legs.

The Angle $\angle BDC = 101^{\circ} 25'$, and $\angle CBD = 44^{\circ} 42'$, and the Leg $BC = 76$ given to find the sides CD and BD .

Draw the Line BC equal to 76, on B describe an Arch, and make the Angle $\angle CBD = 44^{\circ} 42'$ add the Angles B and D together, that sum subtracted from 180° leaves the Angle $C = 33^{\circ} 53'$; upon C describe an Arch, and make the Angle $\angle BCD = 33^{\circ} 53'$ equal to C by drawing CD and it is done; for the Side BD will be 43.2. and $DC = 54.5$. which was required.

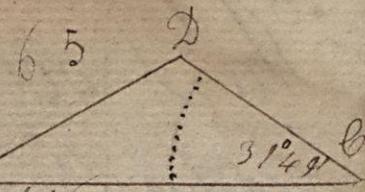


Problem 11

Two Sides and angle opposite to one of them, given to find the other opposite Angle and the third Side.

The side $BC = 106$, $BD = 65$ Miles and the Angle $\angle C = 31^{\circ} 49'$ given to find the Angle D and side CD .

Draw the Line BC equal to 106 at C make an Angle of $31^{\circ} 49'$ by drawing CD take 65 in your Compasses and with one foot in B lay the other upon the Line CD , in D , draw the Line BD and it is done; for the Angle D will be $120^{\circ} 43'$ the Angle $B = 27^{\circ} 28'$ and the Side $CD = 56.9$, as was required.



Problem 12

Two Sides and their contained Angles given to find either of the other Angles and the third Side.

The side $BC = 109$, $BD = 76$ Leagues and Angle $\angle D$

$\angle CBD = 101^{\circ} 30'$ given to find the Angle $\angle BDC$ or $\angle BCD$ and Side CD . Draw the Line $BC = 109$ and BD so as to make an angle with BC of $101^{\circ} 30'$ which make equal to 70;



Continued Febrd 3rd 1810

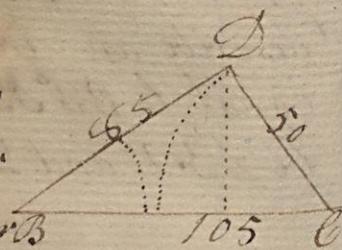
join BC with a Right^{line} and it is done; for the Angle D being measured by the Chord of 60° will be $49^\circ 32'$, Angle B $30^\circ 58'$, and the side $DC 144; 8$, as was required.

Problem 13

The Three Sides given to find the Angles.

The Sids $BC 105$, $BD 85$ and $CD 50$ Miles given to find the Angles BDC , BCD or CBD .

Draw the Line BC equal to 105 , take $CD 50$ in your Compasses and with one foot in C describe an Arch as at D , then take $BD 85$ in your Compasses, and with one foot in B cut the former Arch in D join BD and DC and it is done; for the Angle B being measured will be found $28^\circ 4'$, Angle $C 53^\circ$, which being added together, is $81^\circ 4'$ that sum subtracted from 180° leaves Angle $D 98^\circ 49'$ as was required.



The Doctrine of Plane Triangles,

Teaches the Mensuration of Triangles by comparing the Sides and Angles together by known Analogies; whereby three Things being given a fourth may be found on condition that one of them be a side; in which Right Lines are applied to the Arches of a Circle that the proportion they bear to the Sides of a plane Triangle may be found.

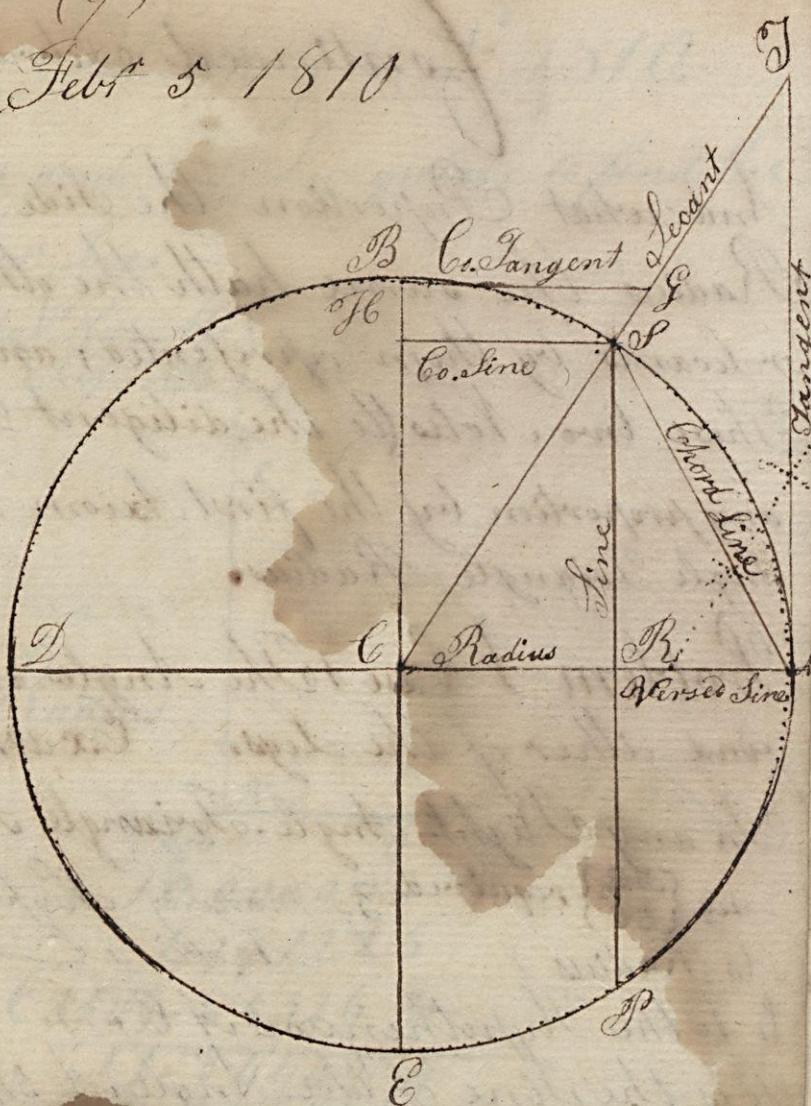
The Right Lines applied to a Circle are Chords, Sines, Tangents, and Secants.

A Chord or Substance of an Arch, is a Right Line that divides a Circle into two unequal Parts and is a Chord to them both as. to, and P.S. A Right Line of an Arch, is a Line drawn from one End or Termination of an Arch perpendicular to the Radius; or it is half

(9)
Continued. Feb^r 5 1810

the Chord of twice the Arch; so that $R S$ is the Sine of the Arch $S C$ and of the Arch $S D$ the sum of which Arches make 180° ; or a Semicircle.

³
The versed Sine is that part of the Diameter Contained between the Sine and the Arch; wherefore $R A$ is the versed Sine of the Arch $S C$, and $R D$ the versed Sine of the Arch $S D$.



Plane Trigonometry Rectangular.

Section 2. The first Axiom and the seven Cases of Plane Right angled Triangles depending thereon.

Axiom 1. In all Plane Right angled Triangles if one of the sides be made Radius the other two will be either Sines Tangents or Secants; That is, 1. If the Hypotenuse be Radius each Leg is the Sine of the opposite Angle see Fig. 1. marked for the first Axiom. 2. If one of the Legs be Radius the Hypotenuse is a Secant and the other Leg is a Tangent of the angle opposite to this leg. See Fig. 2. tilted for the first Axiom.

Note 1. To find a side any side may be Radius saying thus; As the word on the side given is to the side given; So is the word on the side required to the side required.

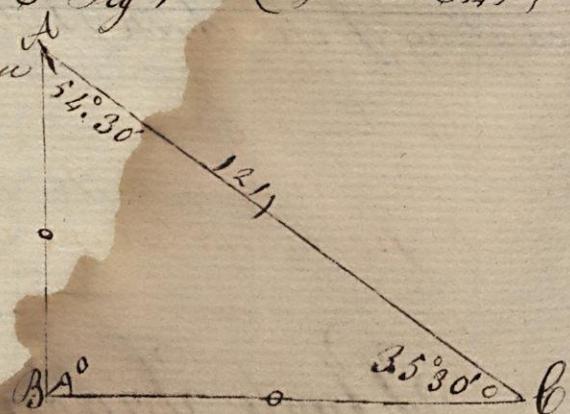
2 To find an angle one of the given sides must be Radius Then say, As one given side is to the word on it; So is the other given side to the word on it. Observe to begin with the side made Radius.

Continued February 21st 1810

And what Proportion the Side made Radius hath to Radius the same hath the other Sides to the Sines Tangent or Secants by them represented; and the contrary: And, These two Notes (to the diligent Reader) are sufficient to frame any proportion by the first Axiom making any Side of a Right-Angle-Triangle Radius.

Problem I Case 1 The Angles and Hypotenuse given; to find either of the Legs. Example.

In any Right-Angle-Triangle A B C Fig 1 The Hypot at C 12¹₂ give
deg {AB} required By making Hypotenuse As Radius
Is to the Hypotenuse A C 12¹₂
So is the Sine of the angle A 51° 30'
To the Base B C



By Making the Hypotenuse Radius

As Radius 10.000000

Is to the Hypotenuse A C 12¹₂ 2.082785

So is sine of Angle C 35° 30' 9.763964

To the Perpendicular A B 70.261846739

By Making the Perpendicular Radius.

As Radius 10.000000

Is to the perpendicular 70.26 1.846708

So is the Tangent of the angle A 54° 30' 10.146732

To the Base 98.51 10.0000688

1.993440

(11) Continued February 22^d 1810.

Problem 2. The Angles and one Leg given; to find the Hypotenuse, and the other Leg.

The { Angle C $35^{\circ} 30'$ } given. The { Hyp AC } reqd
 { Leg AB $9\frac{1}{8}$ leagues } A Leg AB



By making the Base Radius

As Radius ~~~~~ 10.000000

Is to the Base $9\frac{1}{8}$ 1.991226

So is the Tangent of the Angle C $35^{\circ} 30'$. 85326 6

To the perpendicular. 40.21 11.84449 6
10.0000000

1.84449 6

By making the perpendicular Radius.

As Radius ~~~~~ 10.000000

Is to the perpendicular, 40.21 1.846399

So is the Secant of the Angle A $54^{\circ} 30'$. 10. 13604 6

To the Hypotenuse. 120.9 12.082445
10.0000000

2.082445

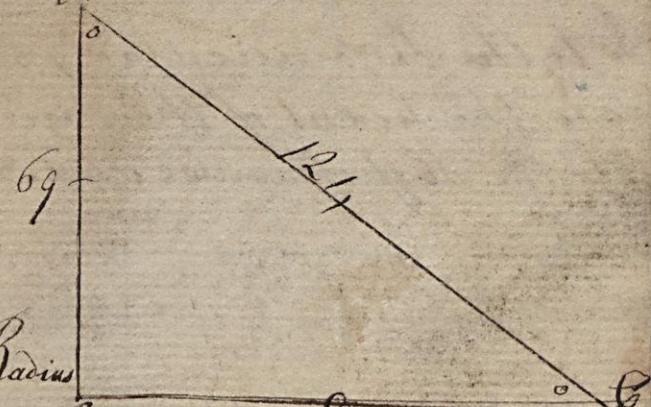
Problem 3. The Hypotenuse and one Leg given; to find the Angles and the other Leg.

The { Hyp 121 } leg given

{ Leg AB 69 }

{ Cor A } reqd.

{ and Leg BC }



By making the Hypotenuse Radius

As the Hypotenuse 121 2.082785

Is to Radius 10.000000

So is the Perpendicular 69 1.838849

To the sine of the Angle C $34^{\circ} 46'$ 11.838849
12.082785
9.75664

(4.8)

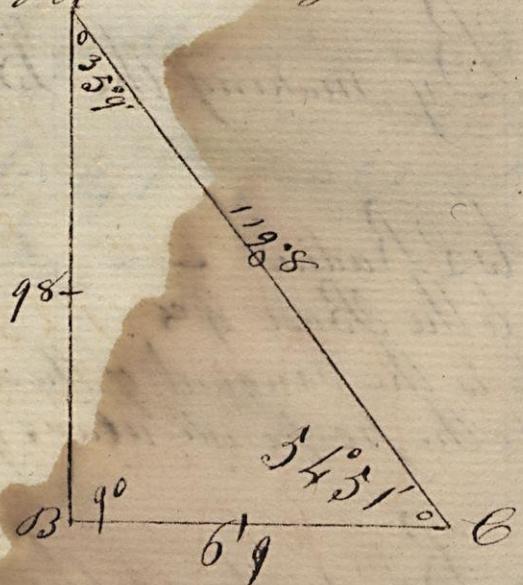
Continued Feb 23rd 1810

By making the Perpendicular Radius.

As Radius	10.000000
To the perpendicular 69	1.838849
So is the Tangent of Angle A 35°14'	10.158543
To the Base 99.4	<u>11.997393</u>
	1.997392

Problem 4 Case 6th or 4th
The Legs given. To find the Angles and Hypotenuse

The Leg { A B 98 } given
B C 69 }
Angle A or C } reqd
Hypotenuse C



By making the Base Radius.

As the Base 69	1.838849
To Radius	10.000000
So is the perpendicular 98	1.991226
To the Tangent of the Angle C. 54°51'	<u>11.991226</u>
	1.838849
	<u>10.152374</u>

By making the Perpendicular Radius.

As Radius	10.000000
To the Perpendicular 98	1.991226
So is the Secant of the Angle A 35°9'	10.087434
To the Hypotenuse. 119.8	<u>13.078660</u>
	2.078660

(13)

Three other Axioms with the six Cases of Oblique
Plane Triangles thereunto belonging.

In all Plane Triangles, the Sides are in such Proportion
one to another, as are the Sines of their opposite Angles. That is,
1st As the Sine of any one Angle, is to its opposite Side; so is the Sine
of any other Angle, to its opposite Side. 2d As a side, is to the Sine
of its opposite Angle; so is any other side to the Sine of its opposite angle.
Note; To find a side, begin with an angle; but to find angle, begin with
a side.

Case 1st
Problem 5. Of Obliquangles. Two Angles, and one side given;
to find either of the other sides.

In the Oblique Triangle $B C D$.



To the Sine of the angle $D 101^{\circ} 25'$	9.991321
Is to the Side $BC 76$	1.880814
So is the Sine of the angle $B 44^{\circ} 42'$	9.847199
To the Side $CD 54.53$	$\begin{array}{r} 9.847199 \\ - 9.991321 \\ \hline 1.736692 \end{array}$

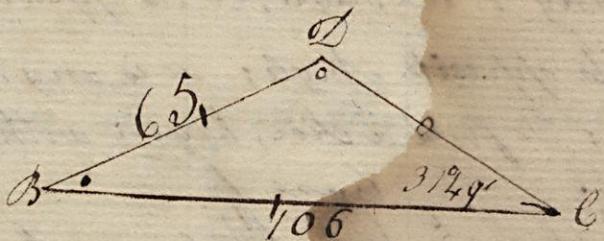
To the Sine of the angle $D 101^{\circ} 25'$	9.991321
Is to the Side $BC 76$	1.880814
So is the Sine of the angle $C 33^{\circ} 53'$	9.446248
To the Side $BD 43.23$	$\begin{array}{r} 9.446248 \\ - 9.991321 \\ \hline 1.635441 \end{array}$

(14)

Continued ^{the} Feb^r 28 1810.

Problem 6. Two ^{base} sides, and one angle opposite to one of them given; to find the other opposite angle and the third side

Side $\{BC \text{ 106}\}$ yards
 $\{DB \text{ 65}\}$
 Angle $\{C. 31^{\circ}49'\}$ } given
 Angle $\{D \text{ Obtuse}\}$
 Side $\{CD\}$ } reqd

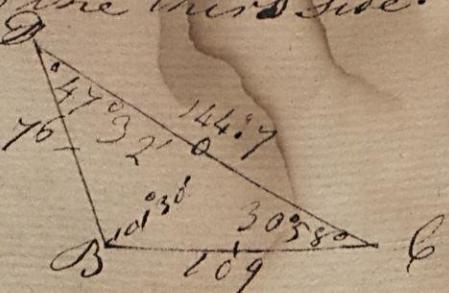


As the Side BD 65	1.812913
To the sine of the angle C $31^{\circ}49'$	9.721478
So is the Side BC 106	2.025306
To the sine of the angle D $120^{\circ}43'$	$\frac{11.74728}{1.812913}$
	9.934371
To the sine of the angle C $31^{\circ}49'$	9.421948
To the side BD 65	1.812913
So is the sine of the angle B $27^{\circ}28'$	9.663920
To the side CD 56.87	$\frac{17.47683}{9.721478}$
	9.754555

Axiom 3 In all Plane Triangles, as the sum of two Sides is to their Difference; so is the Tangent of the Half-Sum of their two opposite Angles, to the Tangent of the half-Difference of the said two opposite and unknown Angles. Then, Add the half-Difference of the Angles to their half-Sum finds the greater Angle; and subtract the half-Difference from the half-Sum, finds the lesser Angle.

Problem 7 ^{base 40 or 5} Two sides and their contained angle given; to find either of the other angles, and the third side.

Side $\{BC \text{ 109}\}$ Seags
 $\{BD \text{ 46}\}$ } given
 Angle $\{B. 101^{\circ}36'\}$



(25)

Continued March 3^d 1810

$$\text{As the Sum of the two Sides } 155 \quad 2.267172 \quad \frac{198}{33} \quad \frac{109}{183}$$

$$\text{Is to their Difference } 33 \quad 1.518514$$

So is the Tangent of the half Sum of the angles opposite those two

$$\text{Sides } 38^{\circ}15'$$

$$9.912240$$

$$\begin{array}{r} 180 \\ 101.30 \end{array}$$

$$\text{Is to their Difference}$$

$$\begin{array}{r} 11.430737 \\ 2.207472 \end{array}$$

$$\begin{array}{r} 38^{\circ}15' \\ 8^{\circ}14' \end{array}$$

$$\begin{array}{r} 278.30 \\ 39.15 \end{array}$$

$$9.163572$$

$$30^{\circ}58'$$

$$\begin{array}{r} 38.15 \\ 8^{\circ}14' \end{array}$$

$$47^{\circ}32'$$

$$\text{As the Line of the Angle } 630^{\circ}58'$$

$$9.711419$$

$$\text{Is to the Side } BD \ 76$$

$$1.880814$$

$$\text{So is the Line of the Angle } B \ 101^{\circ}30' \quad 9.991193 \quad 18^{\circ}30'$$

$$\text{To the Side } CD \ 144.7.$$

$$\begin{array}{r} 71.872004 \\ 9.711419 \end{array} \quad 78^{\circ}30'$$

$$2.160588$$

From the half sum of the three Sides, subtract each Side (but first that side opposite to the Angle required) the rest severally dividing the remainders. Then,

As the Product of the half sum of the sides and the first Remainder, is to the Product of the other two Remainders; so is the square of Radius, to the square of the Tangent of half the Angle opposite to that first Remainder.

This Axiom finds an Angle at one operation yet not being applicable to the instrumental way of working Proportions, you have this fourth Axiom in other Terms; which finds an Angle at two proportions, and may be wrought both Instrumentally and Logarithmically.

Axiom 4.th Useful, when three Sides of a Triangle are given to find an Angle. As the Longest Side, is to the Sum of the two shortest, so is the Difference of the two Shortest to the Difference of the Segments of the Base or Longest Side.

Note; Let fall a perpendicular (from the angle opposite) to the Longest Side, which divideth it into two Segments; and the Oblique Triangle into two Right-angled-Triangles. As in the afore said Triangle $B\bar{C}D$. Let fall the perpendicular Dt ,

Continued March 6th 1810.

which makes the Segments of the Base to be B & A & and the two Right-Angled Triangles B & D and C & D , and the Difference of the Segments B & C .

Problem 8. Three Sides given to find an angle.

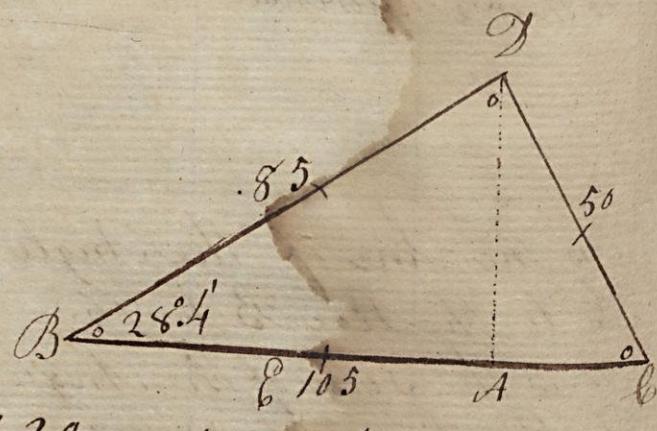
Case 6 In the Triangle B & C & D

The Side $\begin{cases} B C & 105 \\ B D & 85 \\ C D & 50 \end{cases}$ But given:

Angle $\begin{cases} B D C & 105 \\ B C D & 85 \\ C B D & 50 \end{cases}$ reqd.

Sum of Sides $\sqrt{240}$

$\frac{1}{2}$ Sum 120



$$\frac{120}{50} \quad \frac{120}{50} \quad \frac{120}{85}$$

The Half Sum. $120 : \text{co. ar. } 7.920819$

The First Remainder $70 : \text{co. ar. } 8.154902$

The other 2 Remainder $\begin{cases} 35 \text{ Logar. } 1.544068 \\ 5 \text{ Logar. } 1.146091 \end{cases}$

$$\text{Sum } 18.795680$$

$$\text{Tangent } -14^{\circ} 02' - \frac{1}{2} \text{ sum } 9.397940$$

$$\text{Double } -14^{\circ} 02'$$

Produceth $-28^{\circ} 04'$ The angle B .

As the Longest Side

2.021189

Is to the sum of the two Shortest

2.130331

So is the Difference of the two Shortest

1.544068

To the Difference of the Segments of the Base

3.674402

Diff Segments $B C$ & 5 Feet

Side $B C$ ~~105~~ 105

Ft

Added is -150

the half is $\{ 75 \text{ Ft } \text{At the greater segm}$

Subtracted is -60

$\{ 30 \text{ Ft } \text{At the lesser segm}$

The Angles C or B may be found by the 4th Case of Right-

Angle-Triangles, in That Hypotenuse B is the Radius So is the Leg $A B$ to the 9th Angle D

Navigation.

Plane Sailing the First part.

Case 1. In { North } Sailing to the { North } ward, the Latitude increaseth, add.
 { South } { South }

Case 2. In { North } Latitude Sailing to the { South } ward the Latitude decreaseth, subtract
 { South } { North }

And here note, When the Latitude decreaseth, and the Difference of Latitude is greater than the Latitude sailed from, the Ship hath crossed the Equator and changed her Latitude; either from North into South or South into North. A General Rule. The sum of the three Angles of every Plane Triangle, is equal to 16 Points of the Compass.

For 1 Point
 3 Points } of the Compass is equal to $\frac{11d.15m}{360}$ Degrees.
 32 } 90 }

A General Rule. If a Ship sails East or West, she keeps in the same Latitude; and if a Ship sails North or South she keeps in the same Longitude. Note Plane Sailing is divided into three Parts viz
 1. In a Right-Angle-Triangle relating to a single course in which there are six cases 2. In a Right-Angled Triangle relating to several courses called a Traverse 3. In an Oblique Triangle in which are but four cases the a multitude of various Questions. The first part of Plane Sailing is contained in Six Problems or Cases following.

Case 1. Course and Distance sailed given; to find the Difference of Latitude, and the Departure from the Meridian.

Example. Admit a Ship runs 496 Minutes S.W. by W from the Lizard in $49^{\circ}57m$ North Latitude; demand the Latitude she is in and how far she has departed from the Meridian.

Observe That in all Problems of Navigation make the upper end of the Book or slate to be North. Then the Right hand is to the East the Left hand to the West and the lower end to the South.

Plane Sailing Continued March 12th 1860

- Note 1. The Hypotenuse AC represents (the Point of the Compass the ship hath steered and) the ships Distance run.
2. The Leg AB (the Meridian the North or South Point of the Compass) the Difference of Latitude.
- 3 The Leg BC (the East or West Point of the Compass, and a parallel of Latitude) the Departure from the Meridian.
4. The Angle A (the Angle of) the Ships Course
5. The angle C (the angle of) the Complement of the Ships course
For the Difference of Latitude

Case 1.



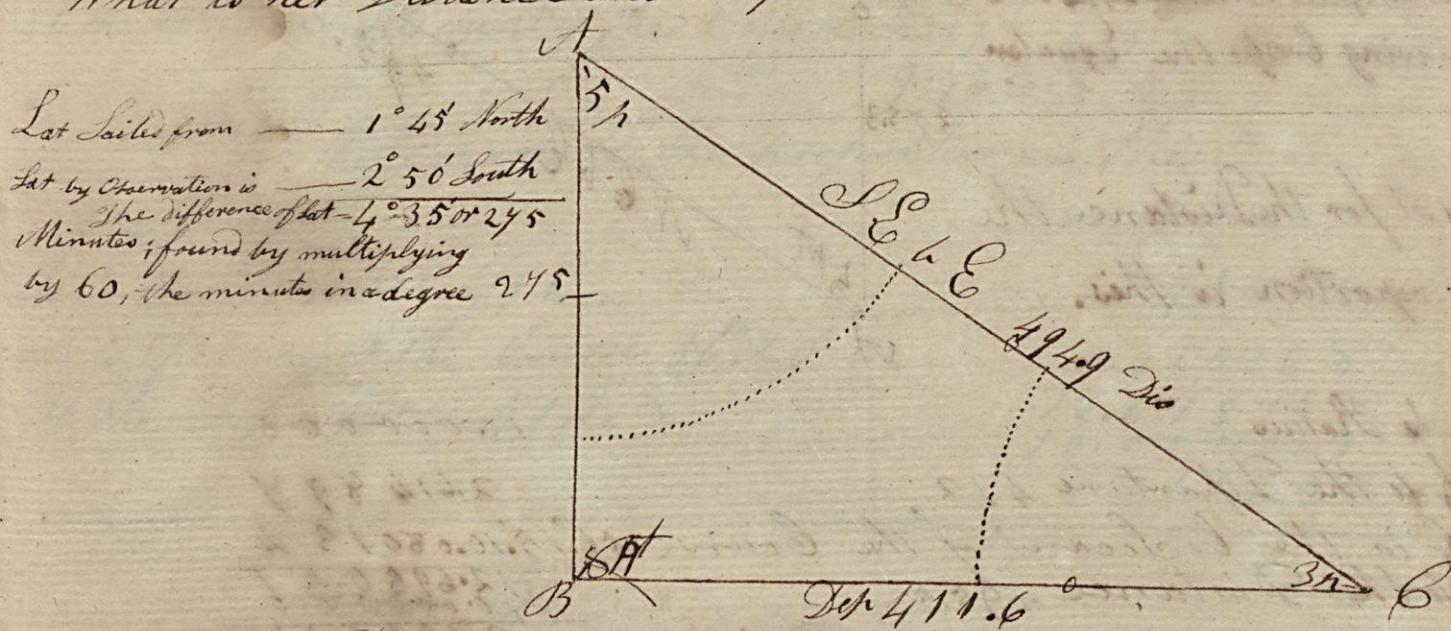
To Radius	10. 000000
To the Distance 496	2.695482
To is the Line of the Course 56°15'	9.744739
To the Difference of Latitude 275.6	12.668330
	2.440221
To Radius	10. 000000
To the Distance 496	2.695482
To is the Line of the Course 56°15'	9.919845
To the Departure 412.4	12.615328
	2.615328

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Continued March 13th 1810

Case 2. Course and Difference of Latitude given, to find the Distance run and the Departure from the Meridian.

Example. If a Ship runneth S E by E from $1^{\circ} 45'$ North Latitude, and then (by Observation) is in $2^{\circ} 50'$ South latitude. What is her Distance and Departure.



1st For the Departure the proportion may be thus

Case 2

As Radius	10.000000
Is to the Difference of Latitude 275	2.439333
So is the Tangent of the course $56^{\circ} 15'$	10.175107
To the Departure 411.6	<u>12.6131440</u> <u>10.000000</u> <u>2.614440</u>

2 For the Distance the proportion may be thus.

As Radius	10.000000
Is to the Difference of Latitude 275	2.439333
So is the Secant of the course $56^{\circ} 15'$	10.235264
To the Distance 494.9	<u>12.694594</u> <u>10.000000</u> <u>2.694594</u>

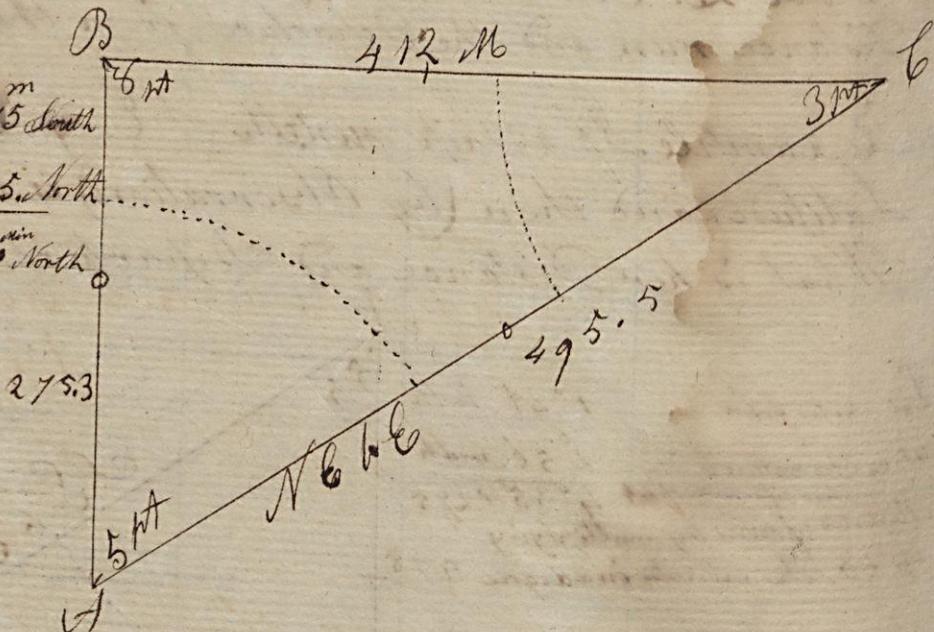
Case 3. Course, and Departure from the Meridian given; to find the Distance and Difference of Latitude.

Example. If a Ship sails N E by E from a port in $3^{\circ} 15'$ South Latitude until she part her first Meridian $4^{\circ} 2$. Min. To demand her distance and the latitude she is in.

(20)

Plane Sailing Continued March 13th 1810

Latitude sailed from is $3^{\circ} 15' \text{ South}$
 Diff of Lat is $275.3 \text{ Min or } 4.35 \text{ Mmth}$
 Subtract, gives the Lat the Ship is $2^{\circ} 0' \text{ North}$
 having crossed the Equator



1st for the Distance the proportion is this.

As Radius	10.000000
I to the Departure 412	2.614894
So is the Secant of the Course $56^{\circ} 15' 10.080154$	<u>12.695026</u>
To the Distance 495.5	<u>2.695051</u>
As Radius	10.000000
I to the Distance 495.5	2.695044
So is the Cosine of the Course $56^{\circ} 15'$	<u>9.744739</u>
To the Difference of Latitude 275.3	<u>12.439783</u>
	<u>2.439783</u>

Case 4.

Distance and Difference of Latitude given to find the Course and Departure.

Example. Suppose a Ship sails 496 Min. between the South and the West, from a port in $2^{\circ} 48' \text{ South}$ Latitude; and then by Observation is in $7^{\circ} 23' \text{ South}$ Latitude: what course hath she steered, and what departure hath she made?

Latitude sailed from is - $2^{\circ} 48' \text{ South}$

Latitude by Observation is $7^{\circ} 23' \text{ South}$
 Subtract; gives the Diff of Lat $4.35 \text{ or } 275.3 \text{ W } 9.87$

(2d.)

Continued March 14th 1810

1st for the Course the proportion is this;

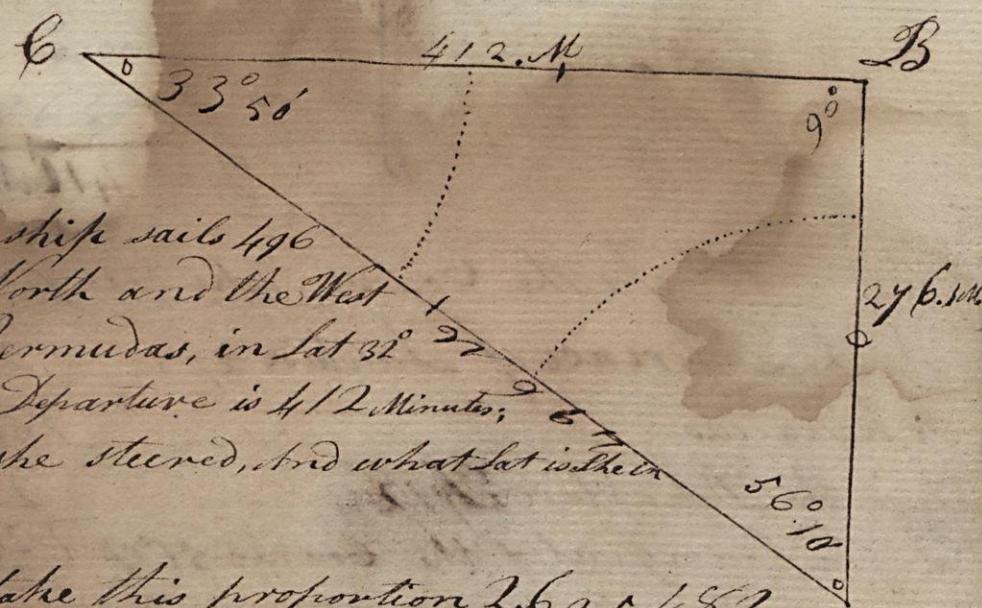
To the Distance 496	2.695482
To the Radius	10.000000
So is the Diff of Latitude 275	<u>2.439333</u>
To the Line Complement of the Course	<u>12.439333</u>
	<u>2.693482</u>
	<u>9.743851</u>

2^d. for the Departure the proportion is this

To the Radius	10.000000
To the Distance 496	2.695482
So is the Line of the Course 56°20'	9.920268
To the Departure 412.8.	<u>12.615750</u>
	<u>10.000000</u>
	<u>2.615750</u>

Case 5.

Distance and Departure given; to find the Course and Difference of Latitude.



Example. Admit a ship sails 496 Minutes between the North and the West from the Island Bermudas, in Lat 32° 22' 25'' North until her Departure is 412 Minutes; What Course hath she steered, and what Lat is then

1st For the Course take this proportion 2.695482

To the Distance 496	10.000000 of
To the Radius	<u>2.614897</u>
So is the Departure 412	<u>12.614897</u>
To the Line of the Course 56°10'	<u>2.695482</u>
	<u>9.919415</u>

2. For the Diff of Lat the Proportion is this

To the Radius	10.000000
To the Distance 496	2.695482
So is the Line Complement of the Course	9.941683
To the Diff of Latitude 276.1	<u>12.441165</u>
	<u>10.000000</u>
	<u>2.441165</u>

(29)

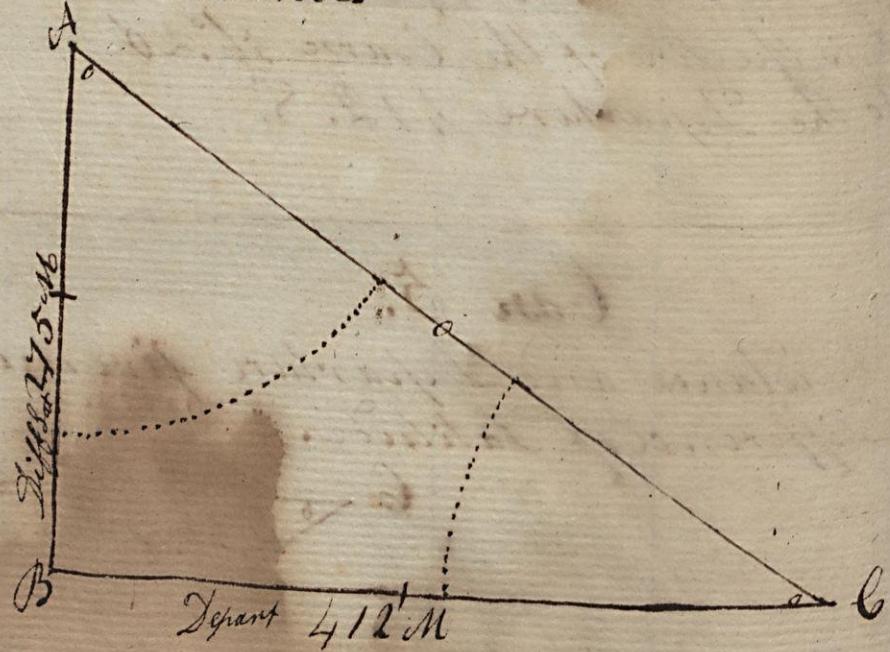
Plane Sailing Continued March 15th 1810.

Latitude sailed from $32^{\circ} 25' \text{ North}$
Difference of Latitude 275 Minutes or $4^{\circ} 36' \text{ nearly}$
Latitude the ship is in $37^{\circ} 01' \text{ North}$

Case 6.

Difference of Latitude and Departure given; to find the Course and Distance.

Example. If a ship's Southing be 275 Min and her Easting 412 Min. What is her Course and Distance.



1st For the Course take this proportion
As the Difference of Latitude 275 2.439333
Is to Radius 10.000000
So is the Departure 412 2.614897
To the Tangent of the Course $56^{\circ} 14'$ $\frac{12.614897}{2.439333} = 5.175564$

2nd For the Distance the proportion is this
As Radius 10.000000
Is to the Difference of Latitude 275 2.439333
So is the Secant of the Course $56^{\circ} 14'$ $\frac{10.255639}{12.614897} = 0.800000$
To the Distance 495.4 2.694972

(73)

Continued March 15th 1810.Quest^r

1st. A ship in $2^{\circ} 10'$ South Latitude sails N. by E 89 Leagues; what Latitude is she in; and what is her Departure? $\text{Lat } 2^{\circ} 12' \text{ N Dep. } 89 \text{ Leags } 17^{\circ} 36' \text{ part of a hundred}$

2. A ship sailing SSW. from a port in $41^{\circ} 30'$ North Latitude; and then by Observation the ship is in $36^{\circ} 57'$ North Latitude: I demand the Distance Run, and Departure?
Ans. Distance Run 98 Leags 5 Tenth^s Dep. 87 Leags 7 Tenth^s.

Example 1. For Question 1st

As Radius

Is to the Distance 267 Min

So is the Sine of the Course $11^{\circ} 15'$ To the Departure 17^o 36'

267	89	926
		$4 = 21$
		10.000000
		2.426511
		$2^{\circ} 10'$
		Dif ^r Lat $4^{\circ} 21'$
		9.290236
		Lat in $2^{\circ} 15'$
		$1^{\circ} 716747$
		1.716747

As Radius

Is to the Distance 267 Min

So is the Secant of the Course $11^{\circ} 15'$

To the Diff of Latitude 261.9

10.000000
2.426511
9.991541
12.418085
12.418085

For Question 2nd $3) 295.5$
Distance 295.5 $36^{\circ} 30'$
 $36^{\circ} 34'$
 $40^{\circ} 33'$
 46°
 $27^{\circ} 3$

As Radius

Is to the Diff of Latitude 273

So is the Secant of the Course $22^{\circ} 30'$

To the Distance 295.5

10.000000

2.436163

10.034385

12.770548

2.470548

As Radius

Is to the Distance 295.5

So is the Secant of the Course $22^{\circ} 30'$

To the Departure 113.1

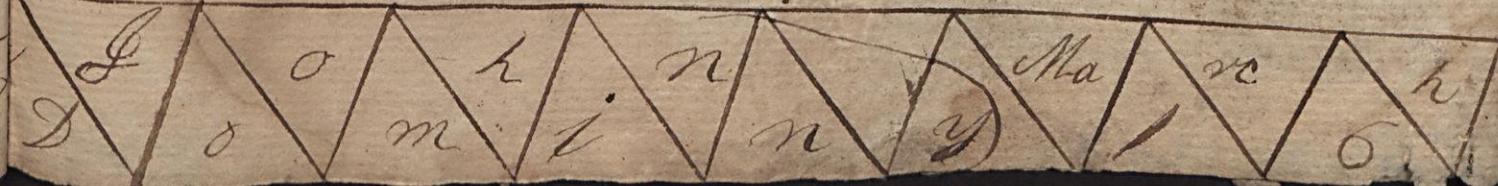
10.000000

2.470559

9.582840

12.053497

2.858797

 $3) 113.1$
39.7 Tenth^s

(24)

Plane-Sailing, the second Part; shewing how to resolve
a Traverse or bring several Courses into one.

Having learned those necessary Problems concerning a single Course, the next in order is a Compound Course, commonly called a Traverse; in order to the right Understanding whereof, observe the following Definitions.

1 A Traverse, is when a Ship (meting with a contrary Wind) saileth on several courses in 24 Hours.

2 To resolve a Traverse, is to Reduce or bring several Courses into one; the Courses are known by the Compass, and the Distance by the Log, which in common Voyages is heaved once in two Hours, but in ships of War or to the East Indies every Hour.

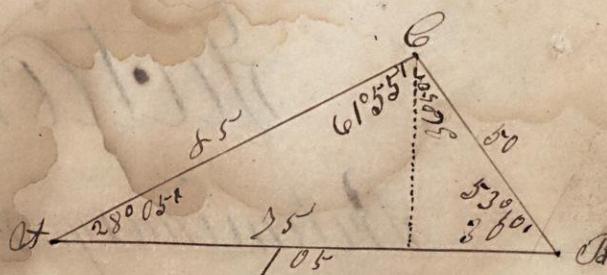
The Log is a piece of wood about seven Inches long with an arm like a flounder with the Head cut off and so fastened with a small cord (or line called the Log line) at one end with enough lead at the other that when it is put into the sea it may swim upright or otherwise.

Example. A Ship bound to a certain Port, meeting with contrary Winds sails first S. E. 6. by E. then South East by S. 3 then W. by N. 45° then S. E. 16. 45° then W. 5°; and then S. E. 83. 33° Minutes: Demand the Difference of Lat, Departure from the Meridian and Direct Course, and Distance from the place first departed from.

Traverse Table.

Courses.	Divide Minutes	Point Divide Minutes	Divide Minutes	Diff Latitude in Minutes		Departure in Minutes.
				North.	South.	
S. E. S	67	3	3		35.7	37.2
S. E. E	53	5	14		29.4	44.1
W. S. W.	45	6	5		17.2	
N. E. N.	64	3	3	61.5		41.6
W.	57	8	5			41.1
S. E. E	83	1	7			57.0
Sum up				61.5	133.7	16.2
Subtract					61.5	138.6
Diff of Latitude					122.2	98.6
						Depart.
						40.0

Case IV.



The three sides given to find the angles

In the Triangle ABC given the side AB for the side AC 85 and the side BC 50 to find the angles

$$\text{Side AC} = 85 \quad \text{AC} = 85$$

$$\text{Side BC} = 50 \quad \text{BC} = 50$$

$$\text{Sum of the two sides } 135 - \text{Difference } 35$$

$$! \text{ Sum of the other two sides } 135 - 2.02119$$

$$! \text{ Difference between the two sides } 35 - \frac{1.54407}{3.67440}$$

$$2.02119$$

$$\text{Difference of Segments } 45 - \frac{1.65321}{1.65321}$$

To find the angle A let

$$\text{As Hypotenuse } 85 - 1.92942$$

$$! \text{ Radius } - - - 10.00000$$

$$! \text{ Seg } AD = \frac{1.87586}{11.87506}$$

$$11.87506 \\ 1.92942 \\ \hline 1.94564$$

$$\text{Line } AD = 61^{\circ} 55' 1$$

$$\text{Half side } AB - - - 52.5$$

$$\text{Half Difference of Segments } 22.5$$

$$\text{One Segment } AD \frac{75.0}{75.0}$$

$$\text{As longest side } AB. 105 - 2.02119 \text{ Subtract Segment } 28.8$$

$$30.0$$

To find the angle DCB

$$\text{As Hyp } BC 50 - 1.69897$$

$$! \text{ Radius } - - - 10.00000$$

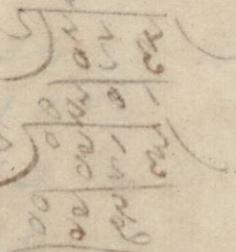
$$! \text{ Seg } BD = 0. - \frac{1.47712}{11.47712}$$

$$11.47712 \\ 1.69897 \\ \hline 9.77815$$

$$\text{Line } DCB = 36^{\circ} 56' 9.77815$$

VI. Spherical

work of the simple surface at
the second stage (1881)



(24)

Section II.

Preliminary Problems.

Problem II

To reduce Two rod Chains to Rods

$$\begin{array}{r} \text{Rod chains} \\ \text{Ch} \quad \text{the} \\ \hline 314 - 37 \quad 317 - 42 \\ \hline 8 - 37 \quad 8 - 42 \\ \hline \quad \quad 50 \\ \hline \quad \quad 8 - 92 \end{array}$$

Problem V.

To reduce Square Chains to Hect.

$$\begin{array}{r} 10460146 \\ \hline 46 \quad 19844046 \\ \hline 60 \quad 80 \\ \hline \quad \quad 46 \\ \hline \quad \quad 30 \\ \hline \quad \quad 6 \end{array}$$

Problem III.

To reduce Two Rod Chains to Rods
and Decimal Parts

$$\begin{array}{r} \text{Ch} \quad \text{the} \\ \frac{1}{2} \quad \frac{2}{4} \\ \hline \frac{3}{4} \quad \frac{2}{4} \\ \text{Ch} \quad \text{the} \\ \frac{1}{5} = \frac{3}{8} \\ \hline \frac{3}{4} - \frac{5}{2} \end{array}$$

Problem VI

To reduce square Links to Acres

$$\begin{array}{r} \text{Acre} 15,63274 \\ \text{Bards} \quad 253096 \\ \hline \text{Rods} \quad .23850 \end{array}$$

Problem IIII

To Reduce Four-Rod Chains to
Rods and Decimal Parts

$$\begin{array}{r} \text{Ch} \quad \text{the} \quad \text{Ch} \quad \text{the} \\ 8 - 6\frac{1}{4} \quad 4\frac{1}{2} - 1\frac{1}{2} \\ \hline 3\frac{1}{4} - 5\frac{1}{2} \quad 2\frac{1}{2} - 2\frac{1}{2} \end{array}$$

Problem VII

To find the Area of a Square or
Parallogram

Rule. Multiply the length into the
breadth the product will be the
Area

Problem IV

To reduce Square rods to Acres

$$160 / \underline{640} (4 - 2 - 26$$

$$\begin{array}{r} 160 \\ \hline 640 \\ \hline 1040 \\ \hline 320 \\ \hline 1040 \\ \hline 320 \\ \hline 960 \\ \hline 960 \end{array}$$

Problem VIIII.

To find the area of a Rhombus or
Romboideas

Rule. Drop a Perpendicular
from one of the vertices oppo.
Side and multiply that side
the Perpendicular the Prod
will be the Area



PROBLEMO IX

To find the Area of a Triangle

Rule 1 Drop a Perpendicular from one of the Angles to its opposite Side which may be called the Base then multiply the Base by half the Perpendicular or the Perpendicular by half the Base the Product will be the Area Or multiply the whole Base by the whole Perpendicular and half the Product will be the Area

Rule 2 If it be a Right Angled Triangle multiply one of the Legs into half of the other the Product will be the Area Or multiply the two Legs into each other and half the product will be the Area

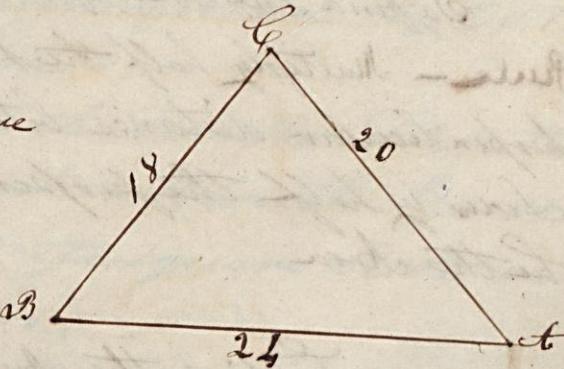
Rule 3 - When the three sides of a Triangle are known the Area may be found Arithmetically as follows

Add together the three Sides from half their sum Subtract each side noting down the Remainders multiply the half sum by one of those Remainders and that product by another Remainder the Square Root of the last Product will be the Area

Example

Suppose a Triangle whose three sides are 24.20 and 18 Chains Demand the Area

$$\begin{array}{r}
 24 \\
 18 \\
 \hline
 42 \\
 24 \\
 \hline
 18 \\
 18 \\
 \hline
 0
 \end{array}
 \quad
 \begin{array}{r}
 3.141592653589793 \\
 3.141592653589793 \\
 \hline
 2.645751311064516 \\
 2.645751311064516 \\
 \hline
 1.979
 \end{array}$$



By Logarithms

Half sum — — 35 — — 1. 49136

The First remainder — 7 — — 0. 84510

The Second remainder — 11 — — 1. 04139

The third remainder — 13 — — 1. 11394

$$\begin{array}{r}
 2.1 - 49179 \\
 \hline
 2.24589
 \end{array}$$

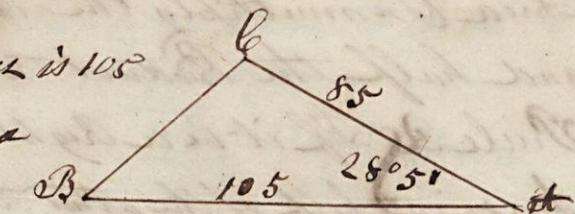
Area 176.1 Square Chains

J. G.

¹⁴
Rule I. When two sides of a triangle and their contained angle that is the angle made by those sides are given the Area may be found as follow Add together the logarithm of the two sides and the logarithm of the sine of the angle from their sum subtract the logarithm of Radian the remainder will be the logarithm of double the Area

Example.

Suppose a triangle one of whose sides is 105 Rods and another 85' and the angle contains between them $28^{\circ}51'$ Demand the Area



One side	—	105	—	2.02119
The other side	—	85	—	1.92962
Sine angle	—	$28^{\circ}51'$	—	$\frac{9.67280}{13.62341}$
Subtract Radian				10.00000
Double Area	4200 Rods			3.62351

Problem X.

To find the Area of a Trapezoid

Rule - Multiply half the sum of the two parallel Sides by ~~half~~ the perpendicular distance between them or the sum of the two parallel Sides by half the perpendicular distance the Product will be the Area

Problem XI

To find the Area of a Trapezium or irregular Four-sided figure

Rule - Draw a Diagonal between two opposite Angles which will divide the Trapezium into two Triangles. Find the area of each Triangle and add them together. Or multiply the Diagonal by half the sum of the two Perpendiculars let fall upon it or the sum of the two Perpendiculars by half the Diagonal the Product will be the Area.

Problem XII

To find the Area of a Figure containing more than Four Sides

Rule - Divide the figure into Triangles and Trapezia by drawing many Diagonals as are necessary which Diagonals must be so drawn as not to intersect with other. Then find the area of ~~the~~ each several Triangles of Trapezia and add them together the sum will be the Area of the Figure.

13

Problems XIII.

Respecting Circles.

Rule I. If the Diameter be given the Circumference may be found by one of the following Proportions As 7 is to 22 or more exactly as 113 is to 355 or in Decimals as 1 is to 3.14159 so is the Diameter to the Circumference

Rule II. If the Circumference be given the Diameter may be found by one of the following Proportions As 22 is to 7 or as 355 is to 113 or as 1 is to 0.31831 so is the Circumference to the Diameter

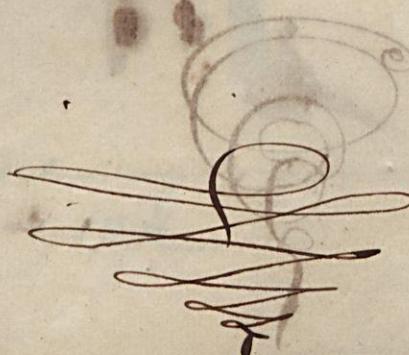
Rule III. The Diameter and Circumference being known multiply half the one into half the other and the Product will be the Area

Rule 4. From the Diameter only to find the Area Multiply the Square of the diameter by 0.7854 and the product will be the Area

Rule 5. From the Circumference only to find the Area Multiply the Square of the Circumference by 0.01958 and the product will be the Area

Rule 6. The Area being given to find the Diameter Divide the Area by 0.7854 and the quotient will be the Square of the Diameter from this extract the Square Root and you will have the Diameter

Rule 7. The Area being given to find the Circumference Divide the Area by 0.01958 and the quotient will be the square of the Circumference from this extract the square Root and you will have the Circumference



Section III.

The following cases teach the most usual methods of taking the Survey of Fields also how to protract or draw a Plot of them and to calculate the Area.

Case II.

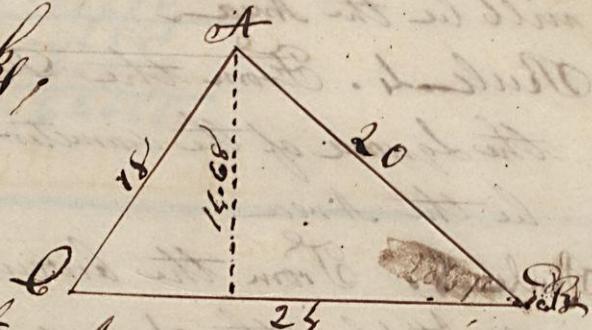
To Survey a Triangular Field

Measure the sides of the field with a Chain and enter their several lengths in a Field Book protract ~~or draw a plot~~ of the field on Paper and then find the area by Problem IX. Rule I or without plotting the field calculate the area by Prob IX

Rule 3

Field Books,
Chain
AB — 20
BC — 24
CA — 18

Field Books,



To Find the Area

Base BC	24.00
Half Base AD	12.00
	9.600
Acre	16800
	1361600
Rods	256400
Rods	1815600

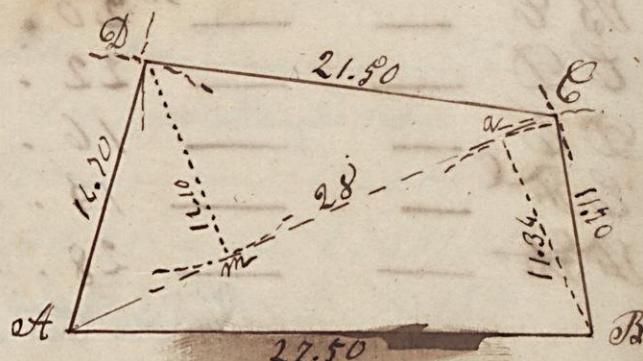


Cast III.

To survey a field in the form of a Trapezium
 Measure the several sides and a Diagonal between two opposite Angles
 protract the Field and find the Area by Problem XII Or without
 protracting the Field calculate the Area according to the Note at the
 end of that Problem

Field Book

	ch	L
AB - -	27.50	
BC - -	11.70	
CD - -	21.50	
DA - -	14.70	
Diagonal AC -	28.00	



To find the Area

$$\begin{aligned}
 \text{Perpendicular } BA &= 11.34 \\
 \text{Dm} &= \frac{11.00}{22.44} \\
 \text{Half-Diagonal } AC &= \frac{14.00}{28.00} \\
 \text{Dm} &= \frac{2.244}{3.551} \\
 \text{Rods} &= 11.664 \\
 \text{Rods} &= 11.656
 \end{aligned}$$

A good one
 York

Case III.

To survey a Field which has more than four Sides by the Chain only.

Measure the several Sides and from some one of the Angles from which the others may be seen measure Diagonals to them draw a plot of the Field and find the Area by Problem XII

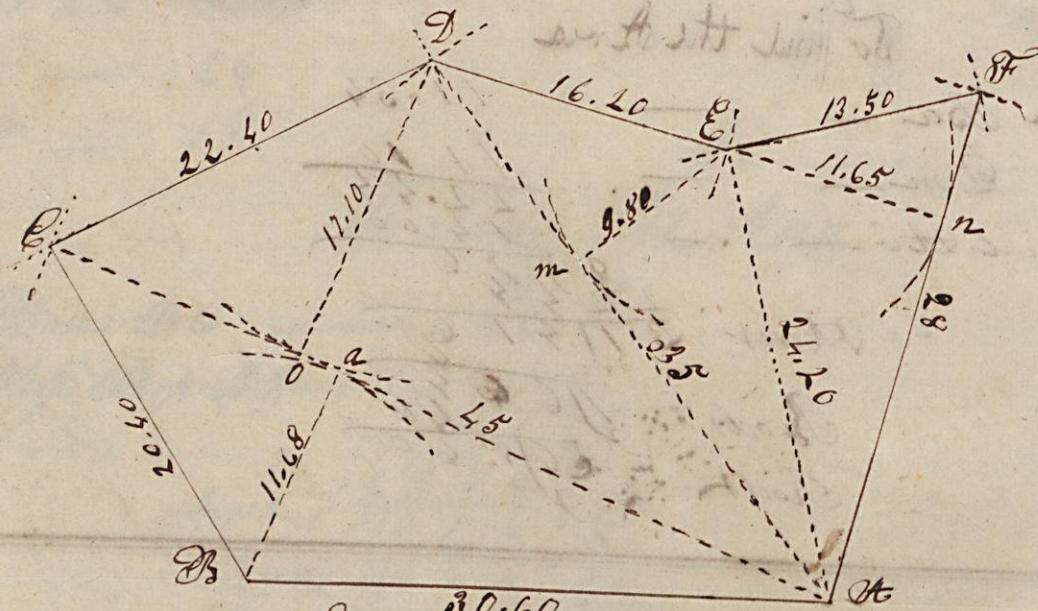
Field Book

	NW	S
H B	—	30. 60
B C	—	20. 40
C D	—	22. 40
D E	—	16. 20
E F	—	13. 50
F G	—	28. 00

Diagonals

Ch	L
H C	45. 00
H D	35. 00
H E	24. 20

To find the Area



To find the Area

The Trapezium ABED

$$\text{Perpend } BA = 11.68 \\ - \text{ Do } - = 17.10 \\ \hline 28.78$$

$$\text{Half Diag } AC = 22.50 \\ \hline 143.900$$

$$\text{Square Chains } \frac{5.756}{64.7555}$$

The Triangle ADE

$$\text{Perpend } \text{E}n = 11.65$$

$$\text{Half side } AT = 14$$

$$\text{Square Chains } \frac{146.60}{163.10}$$

The Triangle ADE

$$\text{Half Perpend } Em = 4.90$$

$$\text{Diag } AD = \frac{35}{35}$$

$$\text{Square Chains } \frac{123.50}{131.50}$$

$$\text{Trapezium ABD} = 643.55$$

$$\text{Triangle ADB} = 171.50$$

$$\text{Triangle ADE} = 163.10$$

$$\text{Areas } \frac{882.15}{882.15}$$

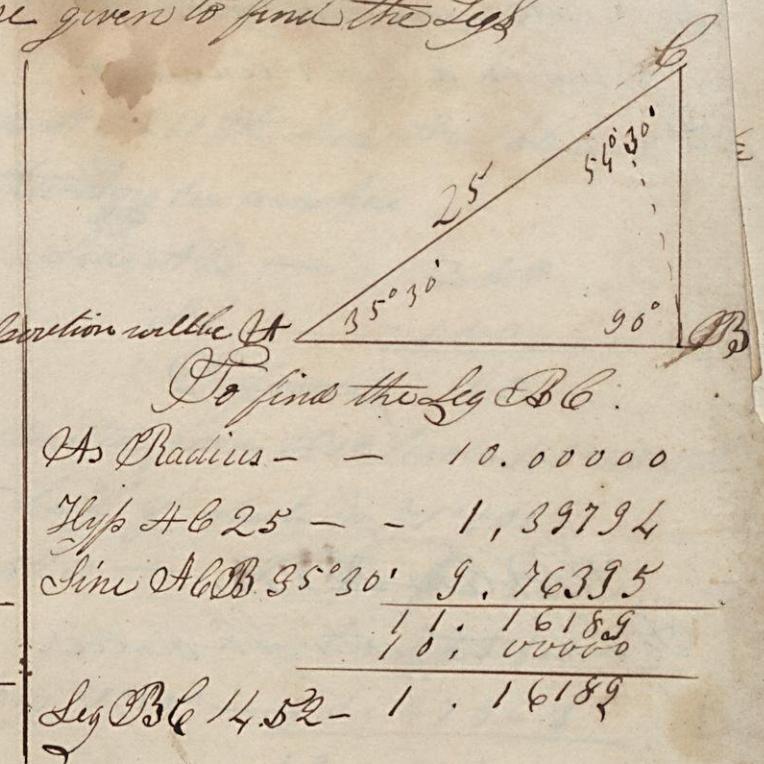
$$8.6 \frac{3}{4} \text{ acres}$$

$$844 \frac{3}{4} \text{ rods}$$

Rectangular Trigonometry

Case II.

The Angles and Hypotenuse given to find the Legs



Making the Hypotenuse Radius the proportion will be

To find the Leg AB

$$\begin{array}{rcl}
 \text{As Radius} & - & 10.00000 \\
 \text{Hyp AC 25} & - & 1.39794 \\
 \text{Sine } 54^{\circ} 30' & - & 9.91069 \\
 & & \hline
 & & 11.30863 \\
 & & 10.00000 \\
 \hline
 \text{Leg AB } 20.35 & = & 1.30863
 \end{array}$$

To find the Leg BC

$$\begin{array}{rcl}
 \text{As Radius} & - & 10.00000 \\
 \text{Hyp AC 25} & - & 1.39794 \\
 \text{Sine } ABB 35^{\circ} 30' & - & 9.16395 \\
 & & \hline
 & & 11.16189 \\
 & & 10.00000 \\
 \hline
 \text{Leg BC } 14.52 & = & 1.16189
 \end{array}$$

Making the Leg AB Radius the Proportion will be

To find the Leg AC

$$\begin{array}{rcl}
 \text{As Secant } CAB 35^{\circ} 30' & = & 10.08931 \\
 \text{Hyp 25} & - & 1.39794 \\
 \text{Radius} & - & 10.00000 \\
 & & \hline
 & & 1.39794 \\
 & & 10.08931 \\
 \hline
 \text{Leg AB } 20.35 & = & 1.30863
 \end{array}$$

To find the Leg BC

$$\begin{array}{rcl}
 \text{As Secant } CAB 35^{\circ} 30' & = & 10.08931 \\
 \text{Hyp AC 25} & - & 1.39794 \\
 \text{Tangent } ABB & - & 9.85927 \\
 & & \hline
 & & 11.25121 \\
 & & 10.08931 \\
 \hline
 \text{Leg BC } 14.52 & = & 1.16190
 \end{array}$$

Making the Leg BC Radius the Proportion will be

To find the Leg AB

$$\begin{array}{rcl}
 \text{As Secant } ABB 54^{\circ} 30' & = & 10.23605 \\
 \text{Hyp AC 25} & - & 1.39794 \\
 \text{Tangent } ABB 54^{\circ} 30' & = & 10.14673 \\
 & & \hline
 & & 11.54467 \\
 & & 10.23605 \\
 \hline
 \text{Leg AB } 20.35 & = & 1.30862
 \end{array}$$

To find the Leg AC

$$\begin{array}{rcl}
 \text{As Secant } ABB 54^{\circ} 30' & = & 10.23605 \\
 \text{Hyp AC 25} & - & 1.39794 \\
 \text{Radius} & - & 10.00000 \\
 & & \hline
 & & 1.39794 \\
 & & 10.23605 \\
 \hline
 \text{Leg BC } 14.52 & = & 1.16183
 \end{array}$$

Continued

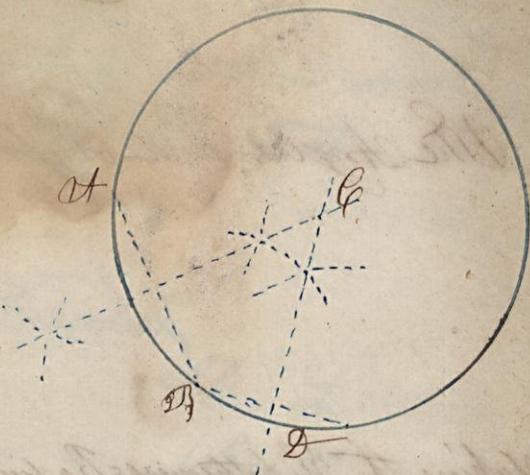
To survey a
Measuring

whilst

Problem XVIII.

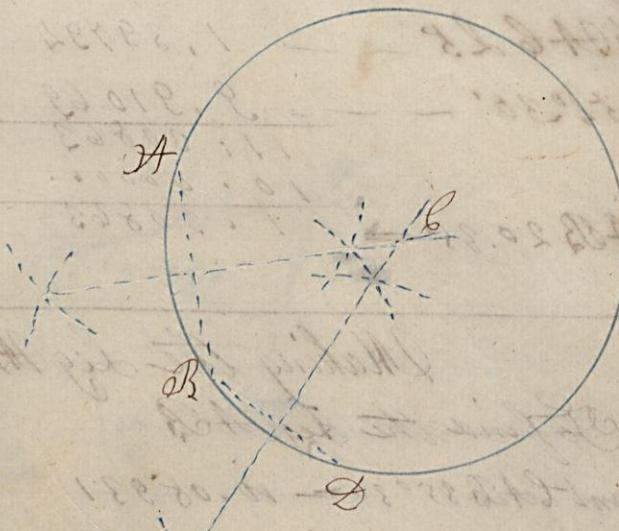
To describe a circle which shall
pass through any three given Points
lying in a Right-line as A B C

H
B
C
D
E



Problem XIX.

To find the center of a Circle



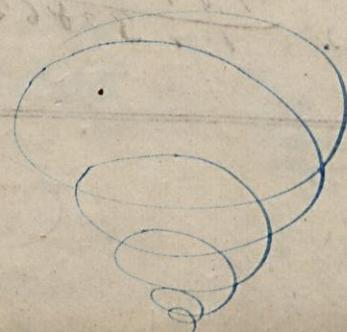
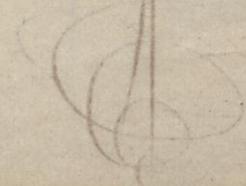
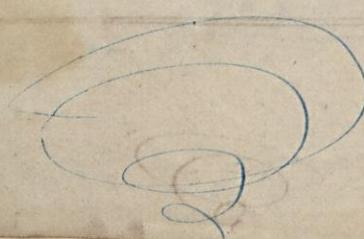
C

G

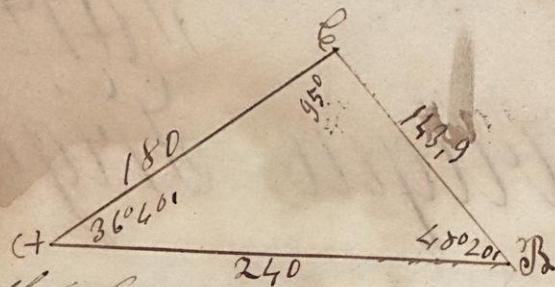
D

F

H



Case III.



Two sides and their contained angle and ~~the other two~~ given to find the other angles and sides

In the triangle ABC given the side AB 240 the side AC 180 and the angle at A 36°40' to find the other angles and sides

$$\text{Side } AC = 180$$

$$AB = 240$$

Sum of the two sides

of the given angle CAB 36°40' subtracted from 180 leaves 143°20' the

Sum of the other two angles the half of which is 71°40'

$$\text{As the sum of two sides } 420 = 2.62325$$

$$\therefore \text{Their difference} = 1.77815$$

$$\therefore \text{Gangent-half unknown angle } 71^{\circ}40' + 10.47969$$

$$12.25384$$

$$2.62325$$

$$9.63459$$

$$\text{Tangent-half difference } 23^{\circ}20'$$

The half sum of the two unknown angles $71^{\circ}40'$

The half difference between them $23^{\circ}20'$

Add gives the greater angle ACD $95^{\circ}00'$

Subtract gives the lesser angle ABC $48^{\circ}20'$

The side BC as found by Case II

Part III.

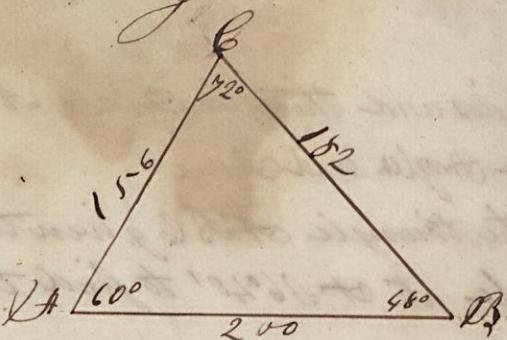
Oblique Trigonometry

Case II

The angles and one side given to find the other sides

To find the angle A C B

$$\begin{aligned} \text{Asin} A B, 12^{\circ} &= 9.57821 \\ \text{Side } A B, 200 &= 2.30103 \\ \text{Sine } A B, 68^{\circ} &= \frac{9.87107}{12.17210} \\ \text{Side } A B, 156^{\circ} &= \frac{9.97821}{2.19389} \end{aligned}$$



To find the side B C

$$\begin{aligned} \text{Asin} A B, 12^{\circ} &= 9.57821 \\ \text{Side } A B, 200 &= 2.30103 \\ \text{Sine } B A, 60^{\circ} &= \frac{9.93353}{12.23856} \\ \text{Side } B C, 182 &= \frac{9.97821}{2.26035} \end{aligned}$$

Case III

Two sides and an angle opposite to one of them given to find the other angles and side

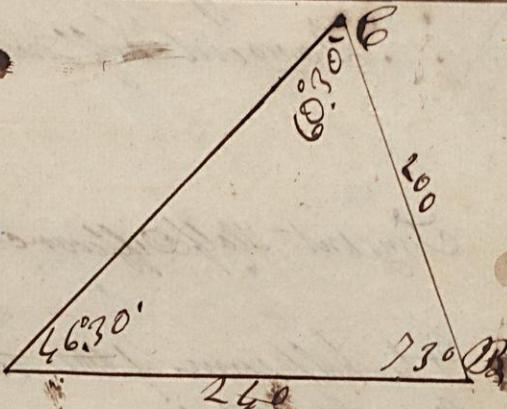
To find the angle A B C

$$\begin{aligned} \text{Aside } B C, 200 &= 2.30103 \\ \text{Sine } B C, 66^{\circ}30' &= 9.86056 \\ \text{Side } A B, 260 &= 2.38021 \\ \text{Line } A C, 60.30 &= \frac{2.24073}{2.30103} \\ \text{Line } A C, 60.30 &= \frac{9.93964}{2.30103} \end{aligned}$$

$$\begin{array}{r} \text{Angle at } A = 66^{\circ}30' \\ - 60^{\circ}30' \\ \hline 6^{\circ}00' \\ \hline \end{array}$$

$$\begin{array}{r} 6^{\circ}00' \\ \hline 107.00 \\ \hline \end{array}$$

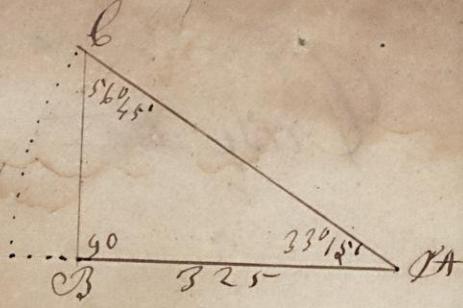
$$\begin{array}{r} 180^{\circ}00' \\ - 107.00 \\ \hline 73^{\circ}00' \end{array}$$



To find the side A C

$$\begin{aligned} \text{Asin } B A, 66^{\circ}30' &= 9.86056 \\ \text{Aside } B C, 200 &= 2.30103 \\ \text{Line } A C, 60.30 &= \frac{9.98060}{12.28163} \\ \text{Side } A C, 260 &= \frac{9.86056}{2.30103} \end{aligned}$$

Case II.



The Angles and one leg being given to find the Hypotenuse and the other leg

Making the given Leg Radius the Proportion will be

To find the Hypotenuse

$$\begin{array}{rcl} \text{As Radius} & = & 10,00000 \\ \text{Leg } AB 325 & = & 2,51188 \\ \text{Sec } \angle ACR 33^{\circ} 15' & = & 10,07165 \\ & & \overline{12,58953} \\ \text{Hyp } 388.6 & = & \frac{10,00000}{2,58953} \end{array}$$

To find the leg BC

$$\begin{array}{rcl} \text{As Radius} & = & 10,00000 \\ \text{Leg } ABB 325 & = & 2,51188 \\ \tan \angle ACR 33^{\circ} 15' & = & 9,81666 \\ & & \overline{12,32854} \\ \text{Leg } BCB 213.1 & = & \frac{10,00000}{2,32854} \end{array}$$

Making the Leg BC Radius the proportions will be

To find the Hypotenuse

$$\begin{array}{rcl} \text{As Tangent } \angle ACR 56^{\circ} 45' & = & 10,18334 \\ \text{Leg } ACR 325 & = & 2,51188 \\ \sec \angle ACR 56^{\circ} 45' & = & 10,26099 \\ & & \overline{12,139287} \\ \text{Hyp } 388.6 & = & \frac{10,00000}{10,18334} \end{array}$$

To find the leg BC

$$\begin{array}{rcl} \text{As Tan } \angle ACR 56^{\circ} 45' & = & 10,18334 \\ \text{Leg } ACR 325 & = & 2,51188 \\ \text{Radius} & = & 10,00000 \\ & & \overline{12,51188} \\ \text{Leg } BCB 213.1 & = & \frac{10,00000}{12,51188} \end{array}$$

Making the Hypotenuse Radius the Proportion will be

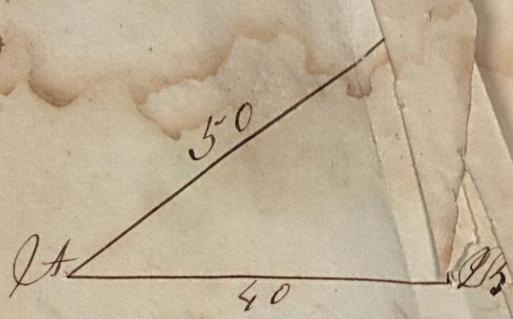
To find the Hypotenuse

$$\begin{array}{rcl} \text{As Sec } \angle ACR 56^{\circ} 45' & = & 9,92235 \\ \text{Leg } ACR 325 & = & 2,51188 \\ \text{Radius} & = & 10,00000 \\ & & \overline{12,51188} \\ \text{Hyp } 388.6 & = & \frac{10,00000}{9,92235} \end{array}$$

To find the leg BC

$$\begin{array}{rcl} \text{As Sec } \angle ACR 56^{\circ} 45' & = & 9,92235 \\ \text{Leg } ACR 325 & = & 2,51188 \\ \tan \angle BAC 33^{\circ} 15' & = & 9,73901 \\ & & \overline{12,25089} \\ \text{Leg } BCB 213.1 & = & \frac{9,92235}{12,25089} \end{array}$$

Case III.



The Hypotenuse and one Leg given to find the Angles and the other by
Making the Hypotenuse Radius the proportion to find the angle
A B C will be

$$\begin{array}{rcl} \text{As Hypotenuse } 50 & = & 1.69897 \\ \text{Radius } & - & - & = 10.00000 \\ \text{Leg } A B & = & 40 & = \frac{1.60206}{11.60206} \\ & & & = \frac{1.69897}{11.69897} \\ \text{Sine } A B C & = & 53^{\circ}10' & = \frac{1.69897}{9.90309} \end{array}$$

The Angle A B C being $53^{\circ}10'$ the other is consequently $36^{\circ}50'$
Making the Leg A B Radius the angle B C A may be found
by the following Proportion

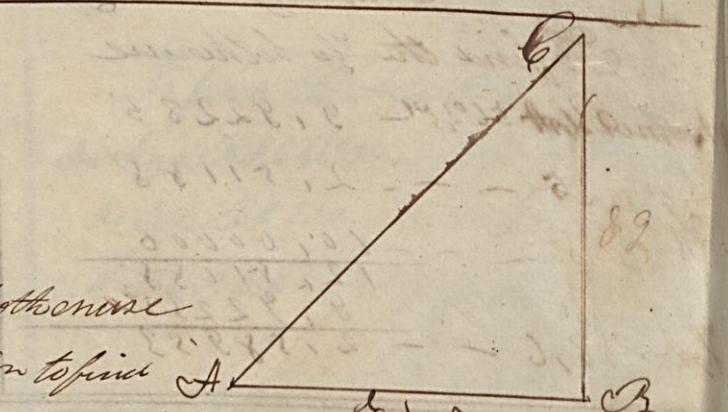
$$\begin{array}{rcl} \text{As leg } A B & = & 1.60206 \\ \text{Radius } & - & - & = 10.00000 \\ \text{Hyp. } 50 & = & 1.69897 \\ & & = \frac{1.69897}{11.69897} \\ & & = \frac{1.60206}{11.60206} \\ \text{Ac } 36^{\circ}50' & = & 1.09691 \end{array}$$

Case IV.

The Legs given to find the Angles and Hypotenuse

Making the Leg A B Radius the proportion to find the angle B C A will be

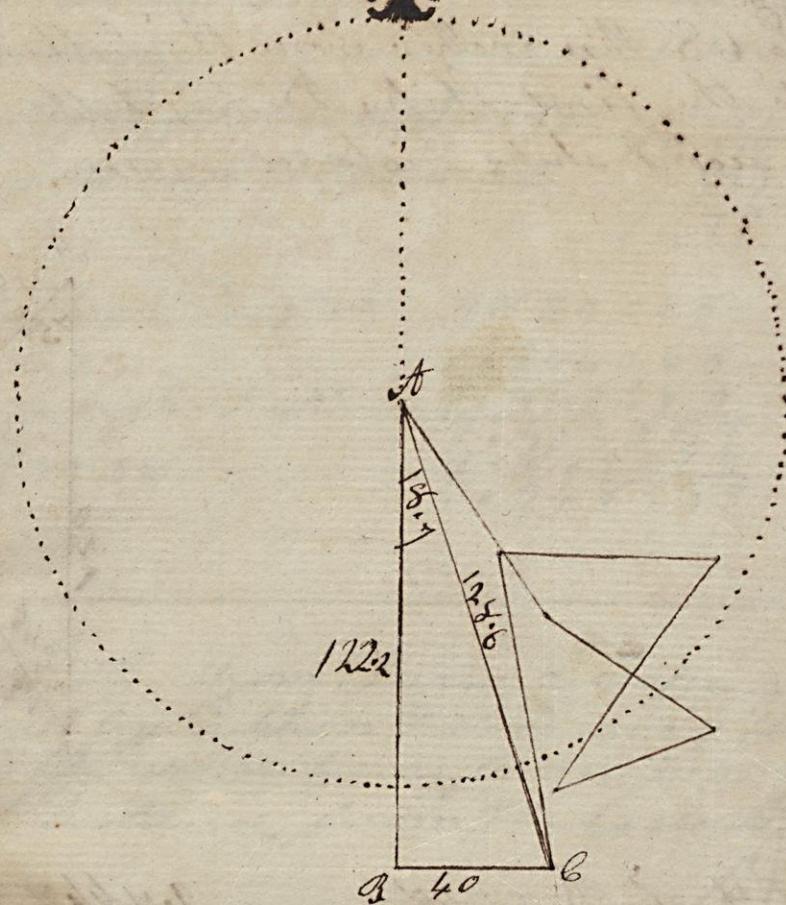
$$\begin{array}{rcl} \text{As Leg } A B & = & 1.89597 \\ \text{Radius } & - & - & = 10.00000 \\ \text{Leg } B C & = & 89 & = \frac{1.94989}{11.94989} \\ & & & = \frac{1.89597}{11.89597} \\ \text{Tan } B C A & = & 80301 & = \frac{1.080582}{11.080582} \end{array}$$



Making the leg B C Radius the proportion to find the angle B C A will be

$$\begin{array}{rcl} \text{As Leg } B C & = & 1.94989 \\ \text{Radius } & - & - & = 10.00000 \\ \text{Leg } A B & = & 89 & = \frac{1.89597}{11.89597} \\ & & & = \frac{1.94989}{11.94989} \\ \text{Tan } A B C & = & 80301 & = \frac{1.080582}{11.080582} \end{array}$$

(25)

Continued March 28th 1800

As Diff of Lat 122.2

2.087071

10.000000

Is to Radius 90°

1.602060

So is the Dep 40.

~~1.602060~~

To the Tangent of Course 18° 7'

~~2.087071~~

9.514989

As the Sine of the Course 18° 7'

9.492695

Is to the Dep 40.

1.602060

So is Radius 90°

~~10.000000~~

To the Distance 128.6

~~1.602060~~

9.492695

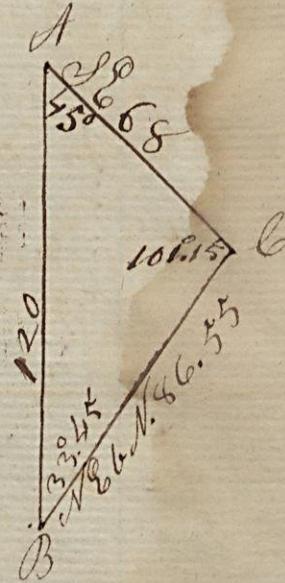
2.109365

(7.6.)

Plane Sailing the Third part.

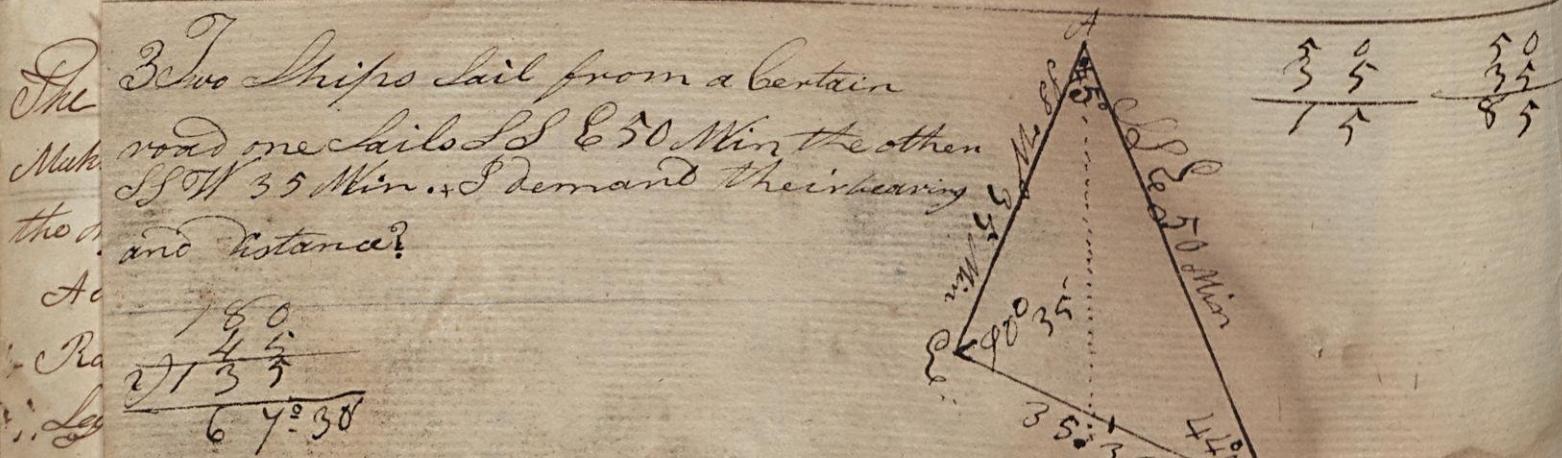
April 2 1810

I suppose two Ports lie North and South and a ship sails from the Northernmost S E 68 Min another from the Southernmost sail S E 68 Min till she meets the first ship. Demand the Distance of the Ports and the second ships Distance run.



As the line of Angle B 33° 45'	9.444739
To the Side A C 68	1.832509
So is the line of Angle A 45'	9.849485
To the side B C 68.55	1.681994
	9.444739
	1.939255

As the line of Angle B 33° 45'	9.744739
To the Side A C 68	1.832509
So is the line of Angle C 101° 15'	9.991574
To the Side A B 120	1.624683
	9.144739
	2.079344

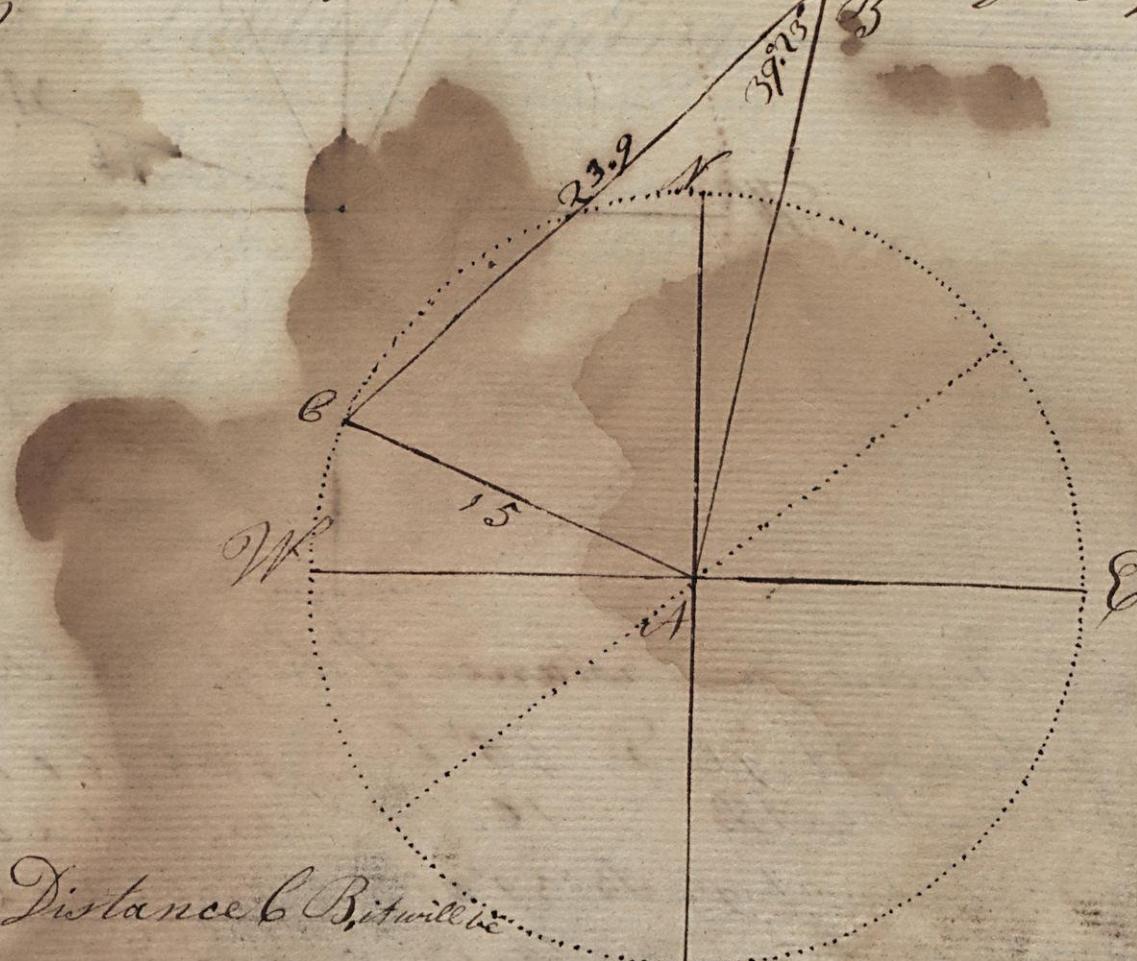


(27)
Continued April 4th 1810.

As the Sum of the Sides 85	1.929419
To their Difference 15	1.176091
So is the Tangent of the half sum of the opposite angles $64^{\circ} 36'$	<u>10.382776</u>
To the Tangent of the half Difference $11^{\circ} 35' 8''$	<u>1.929419</u>
	9.679448

To the sine of the angle $D 44^{\circ} 35'$	98649018
To the side $C E 35.$	1.544068
So is the sine of the angle $C 45^{\circ}$	<u>9.4619489</u>
To the side $C D 35.36$	<u>1.393553</u>
	<u>9.445018</u>
	1.548535
	<u>$64^{\circ} 36'$</u>
	<u>$23^{\circ} 35'$</u>
	<u>$44^{\circ} 25'$</u>

Coasting along the shore, I saw a Cape of Land which bore from me N by E. then I stood away W. N. W. 3 Leags or 15 Miles and the same bore from me N & half E.
I demand the Distance from the last Station of the Ship to the Cape?



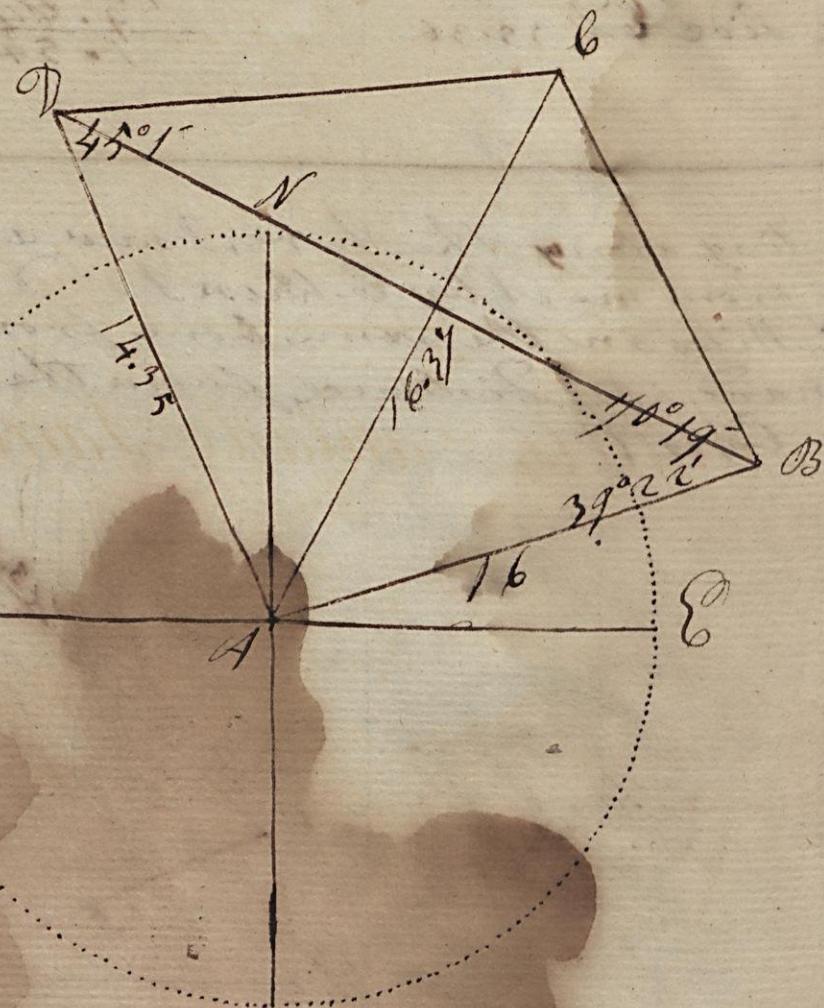
To find the Distance C B it will be

As the sine Angle $B 39.23 - 9.802282$	S
To the side $C C 15.$	Min - 1.176091
So is the sine Angle $C 45.991576$	
To the Side $C B 23.19 - 11.676664$	<u>9.802282</u>
	9.367303

(28)

Oblique sailing Continued April 9th 1810

Coasting along the shore I saw two Headlands the first bore N.W. the second N.N.E. $\frac{3}{4}$ Easterly then standing away S. by E. or North easterly 16 Miles the first bore from me W.N.W. the second N.W. by N $\frac{1}{4}$ Westerly. I demand the distance of each of these Headlands from the first place as also their bearing and distance from each other? - .



To find the Distance of the first Headland.

As the line angle D	$45^{\circ} 1'$	9.849611
Is to the side AB	16.	1.204120
So is the line angle B	$39^{\circ} 22'$	9.802282
To side AD	- - - 14.35	<u>1.006403</u>
		<u>9.849611</u>
		<u>1.156799</u>

To find the Distance of the second Headland.

As the line angle C	$67^{\circ} 30'$	9.965615
Is to the line at B	16.	1.204120
So is the line angle B	$70^{\circ} 19'$	9.93832
To the side AC	16.31	<u>1.144992</u>
		<u>9.963615</u>
		<u>1.212357</u>

(29)

Continued April 10th 1810.

To find the bearing and distance of the Headlands.
 As the sum of the sides A and AD 30.66 1.48657
 Is to their Difference 1.96 0.29226
 So is the Tang of $\frac{1}{2}$ the sum of Angles D and C $63^{\circ}14'10.29816$
 To the Tang of $\frac{1}{2}$ their Difference $7^{\circ}14'$ 10.59042
1.48657
 9.10385

Then $63^{\circ}14'$ added to $4^{\circ}31'$, the $9^{\circ}31'$ the greater angle,
 D and $63^{\circ}14' - 7^{\circ}14' = 56^{\circ}3'$ the angle C.
 Now the Angle D $9^{\circ}31'$ added to $22^{\circ}30'$ the angle
 contained between the N.N.W. Line AD and the
 Meridian, gives $9^{\circ}31'$ which being more than a Right
 Angle, shews that D bears from C $22^{\circ}30'$ Southerly and
 consequently C bears from D East $31'$ Northerly.

Middle Latitude Sailing. April 11th 1810

Problem 1st.

The Diff of Longitude between two Places both in one Parallel of
 Latitude being given, to find, the Distance between them.

Suppose a Ship in the Latitude $49^{\circ}30'$ N or S sails directly E.
 or W. until her Difference of Longitude be $3^{\circ}30'$, and the Distanc
 sailed be required.



To find the Departure

To 3 Radii	90°	10.00000
Is to the Diff of Longitude	210.	2.322219
So is Co-sine Latitude	$49^{\circ}30'$	9.812544
To the Departure	136.4	12.134963 10.600000 2.134963

(3.0)

Middle Latitude sailing CONTINUED April 18th 1810

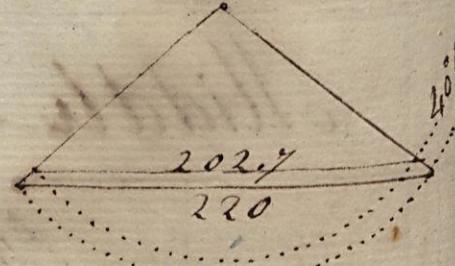
Suppose a Ship in Lat $49^{\circ}30'$ Nors. Sails directly Eor W. 136.4 Miles and her Diff of Lon be required.

As Cosine of Lat $49^{\circ}30'$	9.812544
To the Distance 136.4	2.134814
So is Radius 90°	10.00000000
To the Diff of Lon 210	12.134814
	9.812544
	2.322370

Problem 2.

Suppose two Ships in the Latitude $45^{\circ}N$. Distance 220 Miles sail both directly North 260 Miles and if it be required to find their distance asunder.

By Calculation.



As the Cosine of Lat sailed from 45°	9.649485
To their Distance asunder	220. 2.342423
So is the Cosine of the Lat Come to $49^{\circ}20'$ - 9.614029	
To the Distance required	202.7 12.156442
	9.849465
	2.306967

Case 1

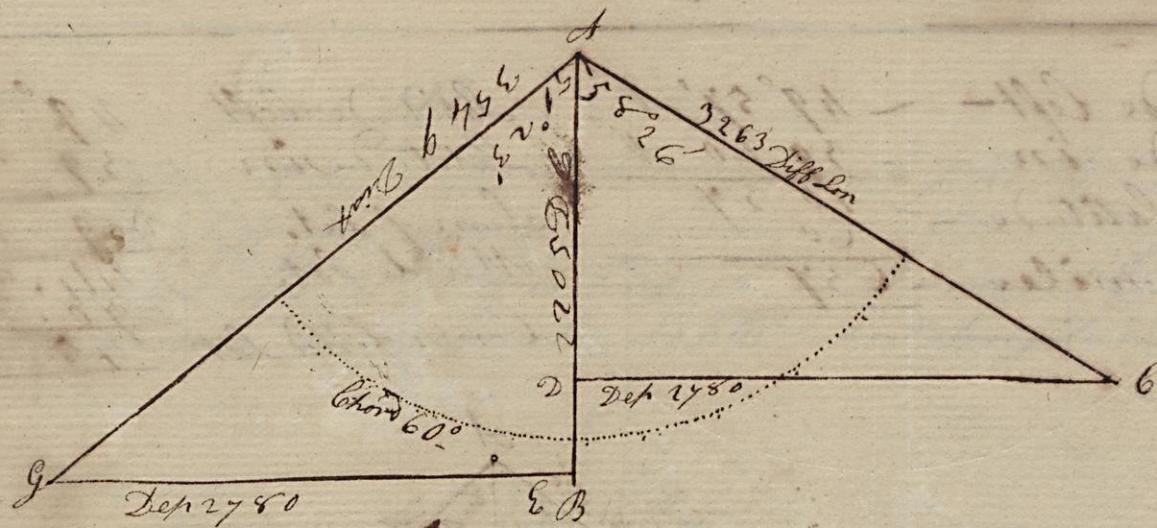
The Latitude and longitude of two places given, to find the Course or their bearing and Distance.

Required the Course and Distance from the Lizard to the E End of the Island of Barbadoes?

Lizard	Lat	$49^{\circ}57'N.$ - $49^{\circ}57'$	Long.	$5^{\circ}14'W.$
E. End Barbadoes		$13^{\circ}12'N.$ - $13^{\circ}12'$		$59^{\circ}34'W.$
Diff of Latitude		$36^{\circ}45'N. Lat.$	Diff Lon.	$54^{\circ}23'$
In Miles		60	M. Lat.	$1^{\circ}34'$
		220.5		60
				Comp. Mid. Lat $58^{\circ}26'$ in Miles 326.3

(31)

Continued. April 20th 1810.



To find the Dep it will be,

As Radius	90°	10.000000
To the Diff of Long.	3263	3.593627
To is the Cosine Mid Lat 34.34		9.930466
To the Departure. . - 2780		<u>13.444083</u> 10.600000 <u>3.444083</u>

To find the Course

As the Diff of lat 22.05		3.343409
To Radius 1	90°	10.000000
To is the Dep 2480		3.444045
To the Tang of Con 51.35		<u>13.444045</u> 3.343409

To find the Distance

As Radius	90°	10.000000
To the Diff lat 22.05		3.343409
To is the Secant Con 51.35		<u>10.206646</u> 13.550055 10.000000
To the Distance 3549		<u>3.550055</u>

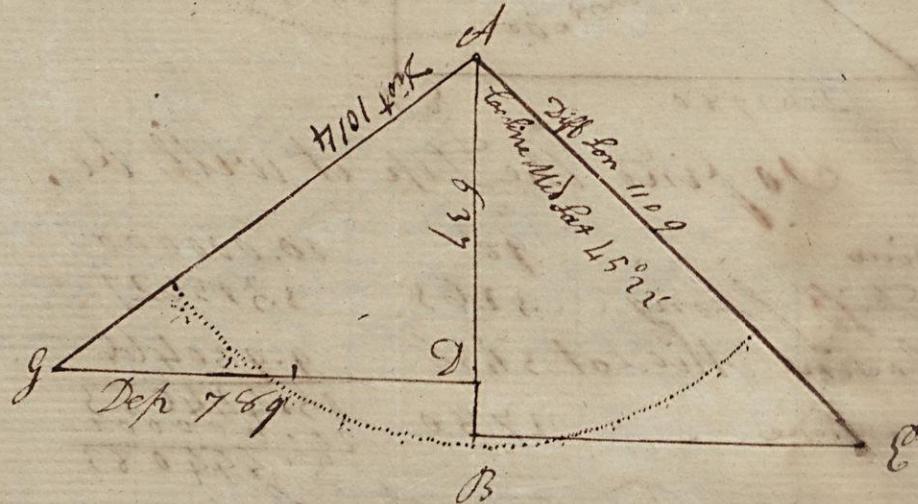
Case 2

Both latitudes and Departure from the Meridians given to find the course and Distance and Diff of longitude
A ship in latitude $41^{\circ} 57' N.$ and Longitude $5^{\circ} 24' W$
Sails Westerly till her Dep is 70 miles and she be in latitude $39^{\circ} 20' N.$ I demand the course distance and longitude she is in when over.

Middle Latitude Sailing Continued April 21st 1810.

Latitude left - $49^{\circ} 57' N$
 Latitude in - $39^{\circ} 20' N$
 Diff of latitude - $10^{\circ} 37'$
 In miles - $\frac{60}{637}$

Latitude left $49^{\circ} 54' N$
 Latitude in $39^{\circ} 20' N$
 Sum of lat. $88^{\circ} 19' N$
 Middle lat. $44^{\circ} 38'$
 Comp of Mid lat $45^{\circ} 22'$



To find the Course

As the Diff of Lat $637 - 2604148$
 Is to Radius $90^{\circ} - 10.0000000$
 So is Dep $789 - \frac{2697087}{12.897087}$
 St. the Course Tan $51^{\circ} 5' \frac{2.3014146}{10.091949}$

To find the Distance.

As the Line course $51^{\circ} 5'$	9.891013
Is to the Dep. 789	2.497084
So is the Radius 90°	10.0000000
Is to the Distance 1014	3.016074

To find the Diff of Lon

To be Line Middle Latitude $44^{\circ} 38'$	9.852254
Is to Dep 789	2.894084
As So is Radius 90°	10.0000000
Is to Diff of Longitude 1109	3.044830

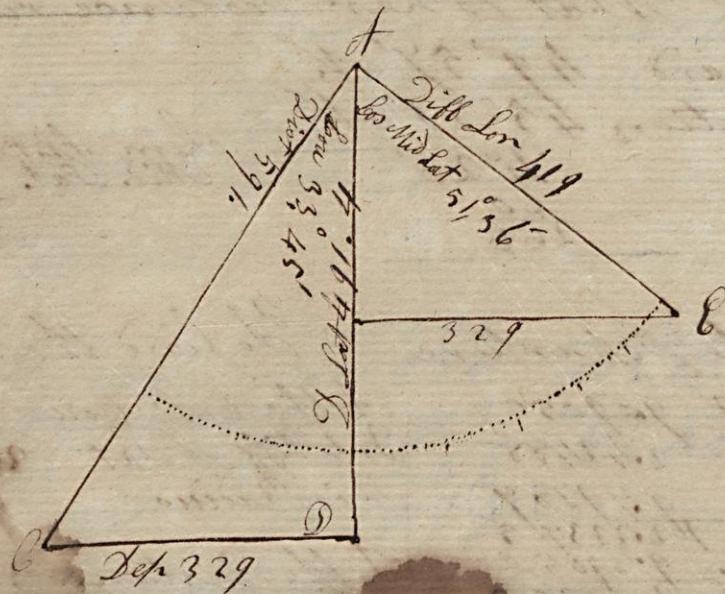
Longitude ship sailed from $52^{\circ} 4' W$
 Diff long 1109 Miles or $18^{\circ} 29' W$
 Longitude in $23^{\circ} 53' W$

(33)

Continued April 23rd 1810.

Case III.

One Latitude, Course and Distance given, to find the Diff of Latitude and Diff of Longitude.
A ship in lat $42^{\circ} 30' N$ and long $18^{\circ} 31' W$ sails S E by S 39° Miles or 197 Leagues, I demand the Latitude and longitude the ship is in?



Lat. left	$42^{\circ} 30' N$	Long. left	$18^{\circ} 31' W$
Diff. of lat.	$8^{\circ} 11' S$	Diff. of long.	$6^{\circ} 59' E$
Lat in	$34^{\circ} 19' N$	Long. in	$11^{\circ} 32' W$
Lat Left	$42^{\circ} 30'$		
Dist	$3^{\circ} 6' 49''$		
Mid. Lat.	$3^{\circ} 5 - 24$		

To find the Diff of Lat, to find the Departure.

Az Radius	90°	10.000000	Az Radius	90°	10.000000
I _o to the Distance	591.	2.771597	I _o to the Dist 591.	2.771597	
So is the Coose Con 33° 45'	9.919836	So is the Side 311.	9.744749		
I _o to the Diff. of Lat. 419.	$\frac{72.691443}{2.691443}$	I _o to the Dep 328.3	$\frac{12.516336}{2.516336}$		

To find the Diff of long

Az Coose Mid. Lat. 38° 24'	98.9415
I _o to Dep	324.3
So is Radius	90°
I _o Diff of Long	419.

$$\frac{98.9415}{2.52212}$$

The ship is in Lat $34^{\circ} 19' N$ and long $11^{\circ} 32' W$.

Middle Latitude Sailing Continued April 24 1810

Case 4st

Course and Diff. of Lat. given to find the Dep. Distance and Diff. of Long.

Suppose a ship sailing from the Linard, makes when the Variation Lee-way, & are allowed for her Course 39° Wards Off by $5^{\circ} N$ and then by Observation is in Lat $45^{\circ} 31' N$ What is her Distance run and long in.

Sat. of the Linard	$49^{\circ} 57' N$	$49^{\circ} 54' N$
Sat. by Observation	$45^{\circ} 31' N$	$45.31 N$
Diff. of Latitude	$4^{\circ} 26'$	Sum of latit. $9^{\circ} 5.28$
In Miles	$\frac{60}{266}$	Mid. Lat. 47.44

To find the Departure

At the Coeli Con $39^{\circ} 9.69050$
To Diff. Lat 266
So in Con $39^{\circ} 9.79887$
To Dep. 115.4

To find the Distance

At the Coeli Con $39^{\circ} 9.69050$
To Diff. of Sat 266
So is Radius $90^{\circ} 10.00000$
To the Distance $342.3 9.69050$

To find the Diff. of Long

A. Coeli Middle Lat. $47^{\circ} 44' 9.82774$
To the Dep. 115.4
So is Radius 90°
To the Diff. of Lon 320.3

To find the Long in

Linard Long $5^{\circ} 14' W$
Diff. of Long 320.3 Min. $5^{\circ} 20' W$
Longitude in $10^{\circ} 34' W$
9.81744

The Dist is 342.3 Diff Long 320.3 Long in $10^{\circ} 34' W$ Dep 115.4

Case 5th

Suppose a ship runs 300 miles N Westerly from a point in $37^{\circ} N$ Lat and Long $10^{\circ} 25' W$ until she be in Lat $41^{\circ} N$ what is her course and longitude in?

Sat Left $37^{\circ} N$	37 N Long Left $10^{\circ} 25' W$
Sat in $41^{\circ} N$	41 N Diff. of Long $3^{\circ} 52' W$
Diff. of Lat 4°	Long in $14^{\circ} 17' W$
In Miles 240 Mid Lat. 39°	

To find the Cours

At the Dist 300	At Coeli Middle Lat $39^{\circ} 9.89050$
To Radius $90^{\circ} 10.00000$	To Tang. course $345^{\circ} 9.8750$
To the Dist 240	To Diff. Lat 240
2.38021	2.38021

To find the Diff. of Long

2.38021	2.38021
2.37712	2.37712
To the Diff. of Long 2.3644	2.3644

(35)

Continued. April 25th 1810.

A Ship in Lat $49^{\circ} 30' N$ and Long $14^{\circ} 40' W$ Sails S E
ward 645 Miles until her Depart from the Meridian be
500 Miles; I demand the Course Latitude and Long she is in
To find the Course

At the Distance 645 -	2.60956	Lat. left is $49^{\circ} 30' N$
As to Radius 90 -	10.00000	Diff. of lat $49^{\circ} 30' N$ 6.478
So is the Depart 500 -	2.69897	Lat in $42.43' N$
$\frac{2.60956}{2.69897}$		
To the sine Course $50^{\circ} 56'$	2.60956	9.88941

To find the Diff. of Lat.

As Radios 90	10.00000	Lat left	$49^{\circ} 30'$
Is to the Distance 645	2.60956	Lat. in	$42.43'$
So is the Coseine course $50^{\circ} 56' 9.80043$	$\frac{12.60999}{10.00000}$	Sum is	$29.2.13$
		Mid. Lat.	46.6
To the Diff. of Lat. 407.3	2.60999		

To find the Diff. of long.

As Cosei Mid. Lat. $46.6 9.84098$	Long. left	$14^{\circ} 46'$
Is to the Dep. 500	2.69897	Diff. of long $7210' 12.1$
As Radius 90	10.00000	Long. in $2.39'$
	$\frac{12.69897}{9.84098}$	
To the Diff. of long. 7211	2.84798	

(38) Mercator Sailing.

Case 1.

The Latitudes and Longitudes of two Places given to find the Direct Course and Distance between them.

What is the Course and Distance from the Lizard to the East part of Barbadoes?

Lizard Lat. $49^{\circ} 57' N.$ Mer. Part 3470 Long. $5^{\circ} 14' W.$

Barbadoes Lat. $13^{\circ} 12' N.$ Mer. Part 799 Long. $59^{\circ} 37' W.$

Difference $36^{\circ} 45' = 2205 M.$ Diff. 2671 Diff. $54^{\circ} 23' = 3263 M.$

A.



To find the Course

$$\begin{array}{rcl} \text{To Mer. Diff. of Lat. } & 2671 & 34.2667 \\ \text{Do to Radius} & 90^\circ & 10.000000 \\ \text{So is Diff. of Long. } & 3263 & 3.51362 \\ & & 13.51362 \\ & & 3.42667 \end{array}$$

To the Tang. of long. $5042 10.08697$

To find the Distance

$$\begin{array}{rcl} \text{To Cosine long. } & 5042 & 9.60166 \\ \text{Do to? Diff. of Lat. } & 2694 & 3.34341 \\ \text{So is Radius} & 90^\circ & 10.000000 \\ & & 13.34341 \\ \text{To the Distance} & 3481. & 9.34166 \end{array}$$

Whence the Direct Course from the Lizard to the Barbadoes is $5042 W.$ or nearly $S.W. by W \frac{1}{2} W.$ Distance 3481.

John Tominy. Easthampton. April 27th 1810.

(37)

Continued April 28 1800

Case 2^o

Both Latitudes and the Dep from the Meridian given to find the Course Distance and Diff of Long.

A ship in Lat. $49^{\circ} 57'$ West long $5^{\circ} 14' W$, sailed Westward until her Depart. from the Meridian be 789 Miles and then by Observation is in the Lat. $39^{\circ} 20'$ N required her course steered Dist. sun, and long. in?

Lat. left	$49^{\circ} 57'$	Merid. parts 3470
Lat. in	$39^{\circ} 20'$	Merid. parts 2571
Diff. of lat.	10 37	= 637 M. Diff. 699



To find the course

In the P Diff. of lat 637	2.80414
Is to Radius 90°	16.00000
Is to the Dep. 789	2.59708
Is to Tang. Con. +15°	12.59705
	2.80414
	10.09294

As Radius 90°	10.00000
Is to Mer. Diff. Lat. 637	2.95376
Is to Tan. Con. 51°	10.09294
	13.04688
	3.04688

(38)

Navigato Seiling Continued May 4 1800

To Radius	9°	1000000	Long. left	$5^{\circ} 14' W$
D. to Diff. Lat.	637	280414	Diff. of Long. $1114 = 14^{\circ} 34' W$	
Lat. of her course	$51^{\circ} 5'$	10.20191	Long. in.	$23^{\circ} 48' W$
		13.00605		
		3.00605		

To the Distance 1014

Her Course is S. $51^{\circ} 5'$ Then
Dist. 1014 Miles

Case. 3.

Both Latitudes and Course given to find the Distance and Difference of Longitude.

A Ship from the Lizard makes her course S. $39^{\circ} W$ and then by Observation is in Lat $45^{\circ} 3' N$. Reg. her Dist. run and longitude in?

Lat. of the Lizard	$49^{\circ} 5' 41''$	Mer. Parts	3470
Lat. by Observation	$45^{\circ} 3' 41''$	Mer. Parts	3044
Diff.	$4.26 = 266$	M. Diff.	39 Cols.

To the Cos. Lat. 9°	9.89050
D. to the Diff. of Lat 266	2.42486
Lat. of the Lizard 9°	10.00000
To the Dist. 342.3	1.26268
	9.89050
	2.53438



At Lizard Course	39°	9.89050
D. to after Diff. of lat 396		2.53438
Lat. of course	39°	9.79587
		12.39659
To the Diff. of Long 3205		9.89050
		2.50607

Longitude left	$5^{\circ} 14' W$
Diff. of long	$3^{\circ} 21' W$
Longitude in	$10^{\circ} 35' W$

John Downing. Easthampton. June 6th 1800.

(39)
Continued June 6th 1810.

Case 4.

One Latitude, Course, and Distances given to find the Diff. of Latitude, and Difference of Longitude?

A Ship in Latitude $42^{\circ} 36' N.$ and Longitude $16^{\circ} 31' W.$ sailed S. 45° W. by S. 59 miles. I demand the latitude and longitude the ship is in?

To find the Diff. of Lat.

Ch Radius 90	10.00000	Lat. left $42^{\circ} 36' N.$	M. Parts 62822
To the Dist. 591	2.77159	Diff. Lat.	3.11 2194
To Calc. Com. 3345	9.91965	Lat in $34^{\circ} 19' N$	Diff. Lat. 628
	1269 1 44		

To Diff. of Lat. 4914 $\frac{10000}{269144}$

To find Diff. of Long.



Ch. Calc. Com.	3 hts	9.91965	Lat. left $18^{\circ} 31' W.$
To the Ch. Dist. lat. 628	2.77159	Lat. in $20^{\circ} 7' W.$	
To calc. Com.	3 hts	9.94474	Long in $25^{\circ} 31' W.$
		1254 70	
		9.91965	

To M. Dis. Long. 419.62.62285

Case 5.

Both Latitudes and Dist. given to find the Course and Diff. of Long.

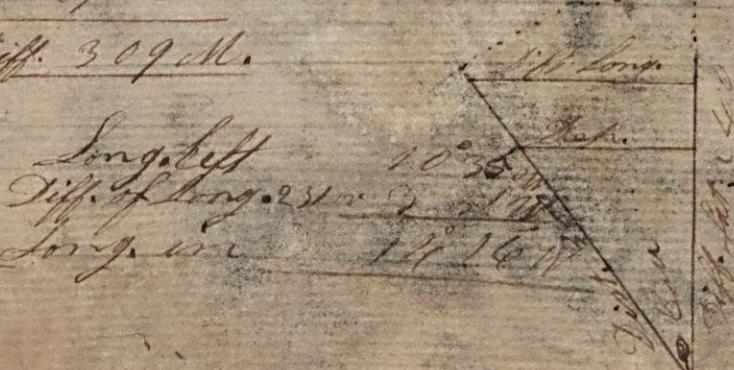
If a ship runs 300 Miles N. W. from a port in Lat. $37^{\circ} N.$ and Long. $10^{\circ} 25' W.$ until she be in Lat. $41^{\circ} N.$ Required the Course steered and Long. in.

Lat. left $37^{\circ} N.$ M. Parts 1393
Lat. in $41^{\circ} N.$ M. Parts 2702

Diff. 4 - 240 M. Diff. 309 M.

To the Dist. 300	2.77159
Ch. Radius 90°	10.00000
To Calc. Lat. 240	2.38024
	12.36221
To Calc. Com. 3652	9.93099
To Calc. Com. 3652	9.90314
To the Dist. Lat. 309	12.49296
To calc. Com. 3652	9.87222
	12.26693

To M. Diff. Long. 236.7.236497



(28)

Mercator Sailing Continued. Jan 2nd 1810

Case 6th

One Latitude, Course, and Dep. given, to find the Distance, Diff. of Latitude and Diff. of Long.

A ship sails E. by E. from a certain Port in Latitude $38^{\circ} 10' S.$ and long. $10^{\circ} 16' E$ until her Depart from the Meridian be 957 Miles. I demand the Distance sailed, and the Lat. and long. she is in?



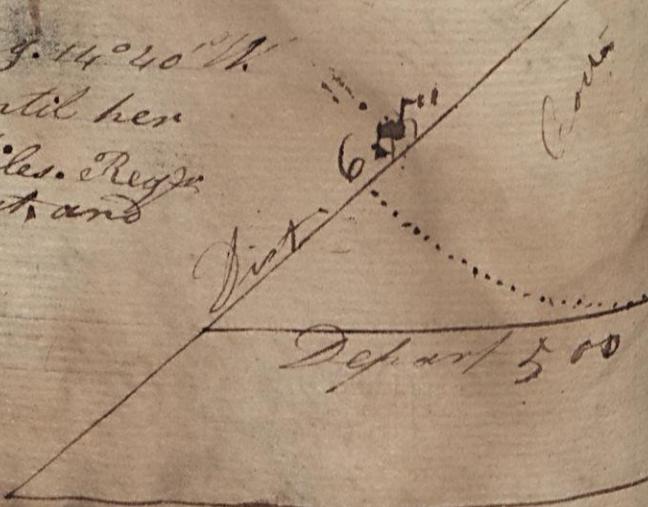
At the S. Com 6 P.M. 9.96562	At S. Com 6 P.M. 9.96562	9.96562
To Dep. 957	To Dep. 957	2.98091
So is Radii	So is Earth Comp 6 P.M.	9.56284
$\frac{3.98091}{10.00000}$	$\frac{9.56284}{12.56375}$	12.56375
12.98091	9.96562	9.96562
9.96562		
To the Dist. 1036 3.01529	To Dist. of lat. $39^{\circ} 6' E$ 3612.59813	

At 6 P.M. 9.96562	Lat left $38^{\circ} 10' S.$ M. Per 34°
To 11. Diff. of lat. 66°	2.62413 Lat in $38^{\circ} 46' S.$ M. Per <u>41°</u>
So is. Com. 6 P.M.	9.96562 M. Diff. 66°
	12.78975 Long left
To Diff. of Lon. 1610	9.58284 Diff. of long. 1610 $10^{\circ} 16' E$
	3.20691 Long. in $26^{\circ} 54' E$
	$34^{\circ} 6' E$

Case 7th

One Lat. Dist. sailed, and Dep. from the Meridian given to find the Com. Diff. of lat. and Diff. of long.

A ship in lat. $49^{\circ} 30' N.$ and long. $14^{\circ} 40' W.$ sails East Ward 645 Miles, until her Dep. from the Merid. be 500 Miles. Regg. the course steered and the lat. and long. she is in?



(41)

Continued. June 13th 1810

To find the Course	To find the Diff of Lat.
At the Dist. 645 28.0956	Lat. Lon. 50°50' q. 86948
Pto Radii 90° 10.00000	Dist to Dep. 500 2.69897
Solis Dep. 500 2.69897	So is Cali. Lon 50°50' q. 80043
	<u>12.49540</u> q. 68948
	<u>12.40998</u>
True Lon. 50°50' 9.88941	To Diff. Lat. 417.3 = 0.44

To find the Diff. of long.	Lat. left 49°50' N Mts. 3428
At Cali. Lon. 50°50' q. 80043	Lat. in 42°43' N. Mts. 2840
Pto Mts. Diff. Lat 588 2.76938	M. Diff. Lat. 588
So isch. Lon. 50°50' q. 86948	
	12.65830
To Diff. Long. 72.682.85843	q. 85043
Long. in 144°	2.38976

Journal of a Voyage from London to Madeira.

In the Hamilton of London, A.B. Commander, kept by
James Jamison, Mate.

Departure taken from the Lizard in lat. 49°57' N. Long. 54°47' W.
Bound for Funchal, in Madeira in lat. 32°38' N. Long. 17°58' W.
Bearing from the Lizard Point 27° W. Distance 1156 Miles.

St	Hr	M	Courses	Winds	Way.	Remarks on Board Monday May 12 th
2						These 24 hours Moderate gales and fair weather.
4	4	5	SW. WNW	N.E.		At 6 P.M. the Lizard bore N.E. 48° Dist. 24 miles, from which I take my Dep. its being in the Lat of 49°47' and Lon. 5°14' West of London Untwist the cables and stowed anchor several sail in sight standing to the westward Variation 2°14' Pint & 1° Starbys.
10	45	5				
12	5	5	SWW 3W			
4	5	5				
8	5	2				
10	3	2				
12	6	2				

Course.	Dist. S	W	Lat. by D.R.	Lat. by Obs.	Mer. Dis.	Diff. Lon.	Long. in Dist.	Bearing and
82°30' W.	107 16 48	48.261.			0°48'	1°14'	6°28'	Merchant. 80° W. 30 E. 5°40 N.

(42)

Continued. June, 27th 1810

Straverne Table						
Courses.	Dist.	N.	S.	E.	W.	
S N E	16	777	17.9	1.8	23.5	Lat. 49° 37' N
S W S N W	37		28.6			
S S W N W	56		49.4		26.4	Diff. of Lat.
			95.9		49.9	Lat. in or Ships Lat
					1.8	Sum of Lats.
					48.1	Mid. Lat.
						Com. of Mid. Lat.
						49° 09'
						40 51

Now to Diff. of Lat. 95.9 S. and Dist. 48.1
W. the course is al. 26° 30' W. Dist. 107
Miles; then lat. sailed from, or Lizard's
Lat. in or Ships Lat 49° 37' N
1° 36' S
48 21' N
1° 45' 15' S
49 09'
40 51

Then with this course of Mid. Lat 49° 09'
or 41° found as a course among the Dif.
rees and the Dist. 48.1 in its column in the Dist. Col. Stands 44
which Diff. of Lon. Or with the course 26° 30' and other Diff. of Lon.
147 the Diff. of Long. is found to be nearly 74 by Mercator's Rule

Long. sailed from or Lizard's Long. 5° 14' W This being the first Day
Diff. of Long. 74 Miles - - - 1° 14' W place leaving the Land the
Long. in or Ships long - - - 6 28' W is the other Dist.
To find the Bearings and Dist. of Ushant.
Lat. in 48° 30' N. Mer. Parts 33 23 Long. in 6° 24' W
Ushant's Lat. 48 30 N. Mer. Parts 33 37 Ush. long. 5° 5' W
Diff. of Lat. 9 Mer. Diff. of Lat. 14 Diff. Long 1° 23'

With the other Diff. of Lat. and Diff. Long. Ushant is found to be
N. 30° 26' E. and with that Bearing taken as a course, and the
proper Diff. of Lat. the Dist. is found 54 Miles.

St.	H.	M.	Courses.	Winds.	Set way	Remarks on board, Monday May 12 th 1810
2	6		S W N W 34' W	N.		These 4 hours moderate gales and
4	5	5	.	N. W.		Cloudy weather.
6	5	.				10th 1. P.M. Spoke the Charming Nancy from Carolina, bound to London.
8	3	3	S W N W 3 0' W			
10	3	4	.			
12	3	4				
4	4	4				
6	4	6	S W N W 3 0' W	N. W.		1st C. A. M. got the Bower and Torn on the Gunnel, and unbest the cables and stowed them.
8	5	5				Variation 2° 1/4 Point Westerly.
10	4	5				
12	4	4				

Course	Dist.	S. W.	Lat. by D. R.	Lat. by Obs.	Mer. Dist.	Diff. Long.	Long. in	Bearings and Dist.
S. 30° W. 10°	93	53 46.40			1° 41' W.	1° 4' W.	7 49' W.	S. Intg. 8° 26' E. Dist. 183 Miles

(43) Continued. June 30th 1810.

Courses.	Dist.	N.	S.	E.	W.
S.W. $\frac{1}{2}$ W.	43		33.2	27.3	
S.E. $\frac{1}{2}$ W.	39		34.4	18.4	
S. $\frac{1}{2}$ W. $\frac{1}{2}$	27		25.8	7.8	
		Diff. Lat.	93.4	Dep.	53.5

With the Diff. Lat. and Dep. the course is found S. $30^{\circ} 5'$ W. and the Dist. 106 Miles.
 Diff. of lat. $1^{\circ} 33' 8''$. Mer. Parts
 Lat. Left $48^{\circ} 21' N.$ 3323
 Lat. in $46^{\circ} 48' N.$ 3185
 Sum Lat. $95^{\circ} 09'$ Mer. Dist. 138
 Mid. Lat. $49^{\circ} 34'$
 Com. Mid. Lat. $42^{\circ} 26'$

The Diff. of long is found by Mercator's on Middle Lat. sailing to be $1^{\circ} 19' 9'' W.$
 Yesterday's long. $618^{\circ} W.$
 Long. in $747^{\circ} W.$

To find the Bearings and Dist. of Cape Ortegal.

Lat. in	$46^{\circ} 48' N.$	Mer. Parts	3185	Long. in	$747^{\circ} W.$
Cape's Lat.	$43^{\circ} 46' N.$	Mer. Parts	2926	Cape's Long.	$736^{\circ} W.$
Diff. of Lat.	$3^{\circ} 02' N.$	Mer. Diff. Lat.	259	Diff. Long.	11
In Miles	182				

With the Meridional Diff. of Lat. and Diff. of long. the Direct Line to Cape Ortegal is $2^{\circ} 26' E.$ and with that course and the proper Diff. of lat. the Dist. is 183 Miles.

H	R	T	Courses	Wind	See Way.	Remarks on Board Tuesday May 15 th 1810		
2	1		S. W.	W.N. 94	1	These 24 hours moderate gales and clear weather.		
4	4							
6	4	4	S. W. S.	W. N. 1.	1/2	at 6 P.M. saw a ship to the westward.		
10	4	5				Observed the sun's alt. at noon		
12	4	6				$9^{\circ} 40'$		
2	4	7	S. S. W.	W. N.	1	zenith dist.		
4	4	8				dist.		
6	4	9				lat.		
8	4	10				$45^{\circ} 23' W.$		
10	4	11				Variation $\frac{1}{2}$ Point Westerly		
12	4	12						
Course	Dist.	Diff. Lat.	Dep. Lat. by D. Ra.	Lat. by Obs.	Mer. Dist.	Diff. of Long.	Long. in	Bearings and Dist.
S. $830' W.$	97	96	14 $45' 12''$	$45^{\circ} 23' 18.3$	$^{\circ} 21$	9.01	$747^{\circ} W.$	C. Ortegal $2^{\circ} 26' E.$
								Dist. 99 Miles.

By allowing for Variation and See way the work will be as

Courses.	Dist. N.	S.	E.	W.
S. $W. \frac{1}{2} W.$	24		26.2	11.3
S. $14^{\circ} W.$	36		35.4	7.0
S. $14^{\circ} E.$	40		39.8	3.9
	Diff. Lat.	96.3	3.9	18.3

With the Diff. of Lat. and Dep. the course is found S. $40^{\circ} 30' W.$ and the Dist. 94 Miles.
 Diff. Lat. $1^{\circ} 26' 12''$. Mer. Parts
 Lat. Left $48^{\circ} 48' N.$ 3185
 Lat. in $46^{\circ} 48' N.$ 3047
 Sum Lat. $92^{\circ} 00'$ Mer. Diff. Lat. 38
 Dep. Lat. $44^{\circ} 00'$

Long. Left $747^{\circ} W.$ 9.01
 Diff. Long. $1^{\circ} 18' W.$ Com. Mid. Lat. $44^{\circ} 00'$
 Long. in by account $8^{\circ} 00'$

440
Continued July 5th 1810.

Here the Lat. by Obs. differing from the Lat. by account I correct for the true Long. and as this is the first Obs. got since leaving the Land I correct by Case 1; as follows:

Lix. Lat. 49° 57' N. M. Parts 3470	With the Men. Diff. of Lat. and
Lat. by D. Rec. 45° 12' N. M. Parts 3047	of Long. by account the Ships
Men. Diff. Lat. by account = 423	Direct Course from the Lizard
Lix. Long. 5° 14' W.	is found to be S. 22° 2' W. or S. 88° 58' E.
Long. in by account 6° 8' W.	With that Course and the Men.
Diff. of Long. by account 2° 54' W.	Diff. of Lat. by Obs. the Diff. of long
In Miles 174	since leaving the Lizard is found
Lix. Lat. 49° 57' N. M. Parts 3470	167 Miles equal to 1° 47' W.
Obs. Lat. 45° 23' N. M. Parts 3063	Lix. Long. 5° 14' W.
Men. Diff. Lat. by Obs. 407	Long. in 8° 81'

With the Course in 2° 2' over Obs. the proper Diff. of Lat. 174 Miles, the true Men. Dist. is found 113 Miles.

To find the Direct Cou. and Dist. to Cape Ortegal.

Lat. in.	45° 2' 1" Men. Parts 3063	Long. in	8° 01' W.
True Lat.	45° 46' 6" Men. Parts 2926	Cape's Long.	7° 36' W.
Diff. Lat.	137 other Diff.	137 Diff. Long.	25°

With the Men. Diff. of Lat. and Diff. of Long. the Direct Cou. to C. Ortegal is found by E. and with that Course and the proper Diff. of Lat. the Dist. is found to be 99 Miles.

H.	R.	S.	Courses.	Wds.	See Way.	Remarks on	Wednesday May 28 th
2	3	5	S. E. W. 44 W.	SW.	1	These 24 hours moderate gales and clear weather.	
4	3	5					
6	3	5					
8	3	5					
10	3	5					
12	3	5					
1	2	3	S. E. W. 9 W. S.	SW.	1		
3	4	3					
5	4	3					
7	4	3					
9	10	3					
11	12	3					

Cou. Dis.	Diff. Lat.	Dep.	Lat. by D. Rec.	Lat. by Obs.	Other Dist.	Diff. of Long.	Long. in	Bearing and Distance
S. E. 46° 20' 20"	44° 8'	1.41	84° E.	77° E.	7° 44' W.	6. Ortegal S. 11° W.		

Traverse Table.								
	Courses	Dist.	N.	S.	E.	W.		
1	S. E. 46° 20' 20"	46° 20' 20"	46° 20' 20"					
2	S. E. 44° 8'	44° 8'	44° 8'					
3	S. E. 9 W. S.	9 W. S.	9 W. S.					
4	S. E. 7° 44' W.	7° 44' W.	7° 44' W.					
5	S. E. 6. Ortegal S. 11° W.	6. Ortegal S. 11° W.	6. Ortegal S. 11° W.					
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(45)

Continued. July 13rd 1810.

Yesterday's long. $8^{\circ} 01' W.$
 Diff. Long. $17^{\circ} 20' W.$
 Long. it. $70^{\circ} 44' W.$

This Day's Dep. being subtracted from the Mer. Dist. of Yesterday gives $1^{\circ} 41'$ the Mer. Dist. to-day.

To find the bearings and Dist. of Cape Ortegal
 Lat. in $41^{\circ} 48' N.$ Mer. Ports $29^{\circ} 57'$ Long. in $74^{\circ} 44' W.$
 Cape Lat. $43^{\circ} 46' N.$ Mer. Ports $29^{\circ} 26'$ Cape Long. $73^{\circ} 49' W.$
 Diff. Lat. $2^{\circ} 2' N.$ Mer. Diff. Lat. $31'$ Diff. Long. $8'$

With the other Diff. of Lat. and Diff. of Long. Cape Ortegal is found to bear S. $14^{\circ} 28' E.$ and with that bearing taken as a base and the Proper Diff. of Lat. the Dist. is found 23 miles.

H	M	S	Courses	Winds	See Way	Remarks on board Thursday May 13 th 1810
2	3	5	N.W.	S.S.W.	3	These 24 Hours hard Gales and squally with small rain stand to the fore and main courses. At 8 P.M. saw a ship to windward with fury masts up. Set the courses close reefed - more moderate
4	3	5				
6	3	5				
8	Say to approach W. b. M. of N. b. C.					
10	Draft in like per Hour N.W.					
12	Approach N.W. off fourth W. b. S.					
2	Drift in like per Hour					
4	Drift in like per Hour					
6						
8	3	S. W.	N.W. & W.W.			Set top sails down and variation 14 point 5 miles
10	3					
12	3					

Courses	Dist. Sat. M.	Lat. by D. R.	Lat. by Obs.	Mer. Dist.	Diff. of Long.	Bearings and Distance.
S. S.E. W.	25	4	25 44° 34'	26	36	82 Miles. & Ministered 28 34' W. Dist. 82 Miles.

Taking the mid lat. in to (viz. N. b. W. and N. b. N.) between the Point to which the ship comes up to and the Point she fell off to for the second and third courses as taught in the rules for laying too and then allowing as before for Variation and leeway the Traverse Table will stand as follows:

With the Diff. of Lat. and Dep. the course is found S. $37^{\circ} 21' W.$ and the Dist. 25 miles.

Diff. of Lat. $00^{\circ} 04' N.$ Mer. Ports
 Mer. Lat. $41^{\circ} 48' N.$ $29^{\circ} 57'$
 Lat. in $41^{\circ} 44' N.$ $29^{\circ} 51'$
 Mid. Lat. $38^{\circ} 12' N.$ Mer. Diff. Lat. C
 Mid. Lat. $41^{\circ} 44' 6$
 90 00

Long. Mid. Lat. $45^{\circ} 54'$

The Dep. today being added to the Mer. dist. it gives to the Mer. Dist. 26 miles.

With the Courses and Mer. Dist. the Diff. of Long. is found by Altimeter to be 9 miles or with the Mid. Lat. and Dep. the Diff. of Long. is found by Altimeter sailing 36 miles.

Traverse Table					
Courses.	Dist. C.	S.	E.	W.	Diff. Sat. 3.8
W.N.W. N.W. N.W.	21	7.1			19.8
N.W. N.W. N.W.	22	7.1			
N.W. N.W. N.W.	29	8.3			4.6
S.S.W. S.S.W. S.S.W.	30	27.1	31.0	1.25	
		23.3	27.1	7.6	32.0
			23.3	7.6	7.6

Diff. Sat. 3.8

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Continued. July 19th 1810

Diff. Long.	3° 6' W.
Yest. long.	<u>7° 44' W.</u>
Long. in.	<u>8° 20' W.</u>

Here the Diff. of long. found by Mid. Lat. differs considerably from that found by Mercator's sailing, but if the mer. parts were taken from a Table of Miles and Tenths it would agree nearer with Mid. Lat. sailing; but in all cases where the error is so great, that the Diff. of lat. is in Miles and Tenths, Mid. Lat. should be depended on.

To find the Bearings and Dist. of Cape Finisterre

Lat. in	44° 04' N. Other. Parts	29° 9' 51" Longer	8° 20' W.
Cape's Lat.	42° 52' N. Other. Parts	28° 52' Leaps long.	9° 14' W.
Diff. Lat.	1° 12' Mer. Diff. Lat.	99' Diff. long.	54' D.

With the other Diff. of lat. and Diff. of long. Cape Finisterre is found to bear L. & R. 37° W. and with that bearing and the proper Diff. of lat. the Dist. is found 82 miles.

H. R. S. Courses.	Winds.	See Way.	Remarks on board Friday May 16 th 1810
2			The first 8 hours calm and foggy.
4			
6			
8			
10	3 3	N.W. W. S.	Fresh gales and clear
12	4 4	4 6	
2	4 4	6 6	of Current setting N.W. by N. little
4	4 4	6 6	per hour at Dolly.
6	4 4	6 6	Variation 1° N. East Westerly.
8	4 4	6 6	
10	4 4	6 6	
12	4 4	5	
Course Dist. by Lat. by Mer. Diff. of Long. Bearings and Dist.			
D. R. Obs. Dist. Long. in.			
8° 0' W. 54° 15' 53" 43° 49' 43° 34' 3° 19' 155° 10.2		Finisterre 83° 57' E.	
or 80° 54° 15' 53" 43° 49' 43° 34' 3° 19' 155° 10.2		Distant 54 miles.	

The Variation on the Way being allowed on the Course steered, and the setting of the Current and its Drift in 24 Hours being made a course and dist. the work will be as follows:

With the Diff. of lat. and dep.

The course is now 89° 57' W. with the drift 84° N.

Difference 5° 15' S. Mer. Parts.

Latitude 44° 04' N. 29° 9' 51"

Mer. 89° 57' W. 29° 31'

Time of dep. 8° 15' 30" Mer. Diff. Lat. 2°

Lat. 44° 04' The Diff. of long. found by Mercator's sailing

and Miles 46° 04' but by Mid. Lat. it is 1° 15' 30" equal to

long. left in account

Distance Table			
Courses.	Dist cl. S.	E	W
N.W. 1/4 W.	24	16.1	17.8
S.E. 1/4 W. 1/4 W.	12	30.8	35.1
		16.1	30.8
		12	32.9
			16.1

Diff. Lat. 14.7

Long. left in account

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Continued. July 19th 1810.

The Diff. of Long. found by Mid. Lat. still differs from that found by Mercator's Sailing; the cause is the same as before and as the ship has made so great a course we will still depend on Mid. Lat. — The Lat. by Obs. differing from the Lat. by account I correct for the true Long. as follows it being three days since I had an Observation before.

Mer. Parts.

Last Obs. Lat.	$45^{\circ} 2' N.$	3063
Ship's Lat. by Acc.	$43^{\circ} 49' N.$	2931
Mer. Diff. Lat. by Acc.		132

Ship's Long. at last Obs.

Ship's Long. by Acc. to day.	$10^{\circ} 14' W.$
Diff. Long. since last Obs.	213 $\frac{1}{4}$

Last Obs. Lat.	$45^{\circ} 2' N.$	3063
----------------	--------------------	------

Ship's Lat. by Obs. 43 $\frac{3}{4}$ N.	2910
Mer. Diff. Lat. by Obs.	153

The Course found since last Obs.

$45^{\circ} 13'$ is of no further use than to

know what case to correct by. Long. in

With the true Course since last

Obs. $35^{\circ} 20'$ and the Proper Diff. of

Lat. 109, the Dep. is $1^{\circ} 2' 6'' + 5' + 3' 19'$.

With the Mer. Diff. of Lat. by Account 132 and Diff. of Long. by Account 133 the Direct Course since the last Obs. is found $45^{\circ} 13' W.$ or $45^{\circ} 1' W.$ and the Dist. 184 Miles. — With that Dist. and the Mer. Diff. of Lat. by Acc. 153, the Diff. of Long. is found 108, this added to the Diff. of Long. by account 133, gives 241 which divided by 2 gives the true Diff. of Long. since last Obs. 121. Nearly equal to long. in at last Obs.

last Obs. 121. $1^{\circ} 1' W.$

$8^{\circ} 1' W.$

$10^{\circ} 2' W.$

To find the Bearings and Dist. of Cape Finisterre.

Lat. in	$43^{\circ} 34'$	Mer. Parts 2010	Long. in	$10^{\circ} 02' W.$
Cape Lat.	$42^{\circ} 5'$	Mer. Parts 2852	Cape Long.	$9^{\circ} 14' W.$
Diff. Lat.	$1^{\circ} 2' 6''$	Mer. Diff. Lat.	58 Diff. Long.	48

With the Mer. Diff. of Lat. and Diff. of Long. the Direct Course to Cape Finisterre is found $39^{\circ} 57' E.$ and with that course and proper Diff. of Lat. the Dist. is found 54 Miles.

John Dominy.

Easthampton.

(48)

Continued. July 20th 1810.

H	M	T	Courses	Winds	Sec Way	Remarks on Board Wednesday May 26 th 1810
2	4	3	W. S. N. W.	S. E. W. W.	1/2	
4	4	3	W. S. N. W.	S. E. W. W.	1/2	There 24 hours moderate
6	4	7	W. S. N. W.	S. E. W. W.	1/2	weather with rain.
8	5	2				
10	5	3				
12	5	5	W. S. W.	S.	1/2	
14	5	5				
16	5	4	S. W. W.	S. E.	1/2	
18	5	5				
20	4	5				
22	4	5				
24	4	5				

Variation P. W. per equal alt. of horizon

Course	Dist.	Dif.	Dep.	Lat. by Lat.	Lat. by Obs.	Mer. Dist.	Dif. of Long.	Long.	Bearings and Dist.
				Lat.	Obs.			in	
S. 65° W.	118	50.	108	35. 52	35. 46	9. 05	2. 13	14. 36	Funchal 34° 14' E. Dist. 196 Miles.

With the Dif. of Lat. and Dep. etc
Com. in S. 65° 10' W. and the Dist. 118. 6
miles.

Lat. lat. 36° 36' N.

Dif. of lat. 44'.

Lat. by Obs. 35° 52' N.

Yest. Lat. 36° 36' N. M. Parts 2363

Obs. Lat. 35° 46' N. M. Parts 2301

Dif. Lat. by Obs. 50 M. Dif. Lat. 62

Sum Lat. 32° 22'

Mid Lat. 36. 11

90. 00

Com. Mid. Lat. 34° 49'

With the Proper Dif. of Lat. by Obs. 50 and the Dist. 118. 6 the true Com. 65. 4, and the Dep. 108. Miles nearly.

The Dep. 108 being added to the Mer. Dist. yest. given of 5. 11. the Mer. Dist. 113. Miles.

With the sum of Mer. Lat. and Dep. on with the Com. and the Dif. of Lat. 62 the Dif. Long. is found by Mid. Lat. on Mercator's sailing to be 133 Miles = 2° 13' 00"

Yest. long. 15° 23' 00"

Long. in = 17° 36' 00"

Also find the Bearings and Dist. of Funchal in Madeira
Lat. in = 32° 46' N. M. Parts 2310 Long. in = 17° 36' W.

Com. Lat. 32° 32' N. M. Parts 2066 Funchal long. = 14° 05' W.

Dif. Lat. = 14 M. Dif. Lat. 244 Dif. Long. = 31

With the Dif. of Lat. 244 and the Dif. of Long. 31, Funchal is
found again at 14° E. and with that bearing taken as before
and the proper Dif. of Lat. the Dist. is found = 96 Miles

3

Continued July 21st 1810.

H	R	A	Courses	Wds	See Wds	Remarks on board Thursday, May 22 nd 1810.
2	6	8	S. E. by E.	S. W. by W.	1/2	Spent 24 hours moderate gales and clear weather.
4	5	8				
6	5	8				
8	5	8				
10	5	2	S. E.	S. W.	1/2	
12	5	2				
2	5	5	S. E. by E.	S. W. by W.	1/2	
4	5	5				
6	5	5				
8	5	5				
10	5	6	S. E. by S.	S. W. by S.	1/2	Variation $\frac{1}{4}$ Point Westerly.
12	5	4				

Course	Diff. Lat.	Lat. by Obs.	Lat. by Dist.	Obs.	Mean	Diff.	Long.	Bearings and dist.
Lat.	D. No.	Lat.	Dist.			long.	in.	
83° 30' E.	35° 11' 00"	83° 34.01'	83° 35' 56"	7447'	1.35'	16° 01'	Funchal 32° E. Dist. 99 Miles.	

With the Diff. of lat. and Dep't the Cours. is found $83^{\circ} 37' 48.1^{\circ}$ E. and the Dist. 133 Miles. Yesterday Lat. $83^{\circ} 46.00'$
Diff. of lat. $1^{\circ} 45.8'$
Lat. by Acc. $84^{\circ} 1' N.$
Obs. Lat. $83^{\circ} 56.11' N.$ Parts 216'
Yest. Lat. $85^{\circ} 44' N.$ Parts 290'
P. D. Lat. 1/2 6. M. Dist. 134
Sum of Lat. $69^{\circ} 42'$
Mid. Lat. $34^{\circ} 51'$
90 00'
Com. Mid. Lat. $55^{\circ} 09'$

Traverse table.					
Courses	Dist. M.	S.	E.	W.	N.
S. E. by E.	44'			11.2	24.7
S. E. by S. 1/4 E.	31			14.9	18.5
S. E. by S. 3/4 E.	33			21.4	22.2
S. E. 1/4 E.	22			14.8	16.3
Diff. Lat.		105.3	81.7	94.	

The Lat. by Obs. differing from the Lat. by Acc., I correct as follows by Case 2.

With the Diff. of Lat. 110 and the Dist. 133, the Dep't. is found to be $7\frac{1}{2}$, which being added to the former Dep't gives 154, half this sum is the true Dep't 8 Miles. With the Diff. of Lat 110 and the dep't 8, the true course is found $83^{\circ} 20' E.$ and the Dist. 135 Miles.

The Dep't 8, being subtracted from the Mer. Dist. Yest., gives $94\frac{1}{2}$ M. the Mer. Dist. To-day.

The Diff. of long. is found by Mercator or Mid. Lat. sailing to be $1^{\circ} 35' E.$

Yest. long.	<u>17 16 91.</u>
Long. in	<u>16 21 91.</u>

To find the Bearings and Dist. of Funchal.

Lat. in $34^{\circ} 56.00'$ Mer. Dist. 2167 Long. in $16^{\circ} 01' W.$
Funchal Lat. $32^{\circ} 32' N.$ Mer. Dist. 2665 Funchal Long. $17^{\circ} 05' W.$
Diff. Lat. $1^{\circ} 24'$ After Diff. of Lat. $101'$ Diff. of long. $1^{\circ} 24'$
With the other Diff. of Lat. and Diff. of long., the direct course to Funchal is $32^{\circ} W.$ and with that course and the Prob. Diff. of Lat. the course of $94\frac{1}{2}$ Miles.

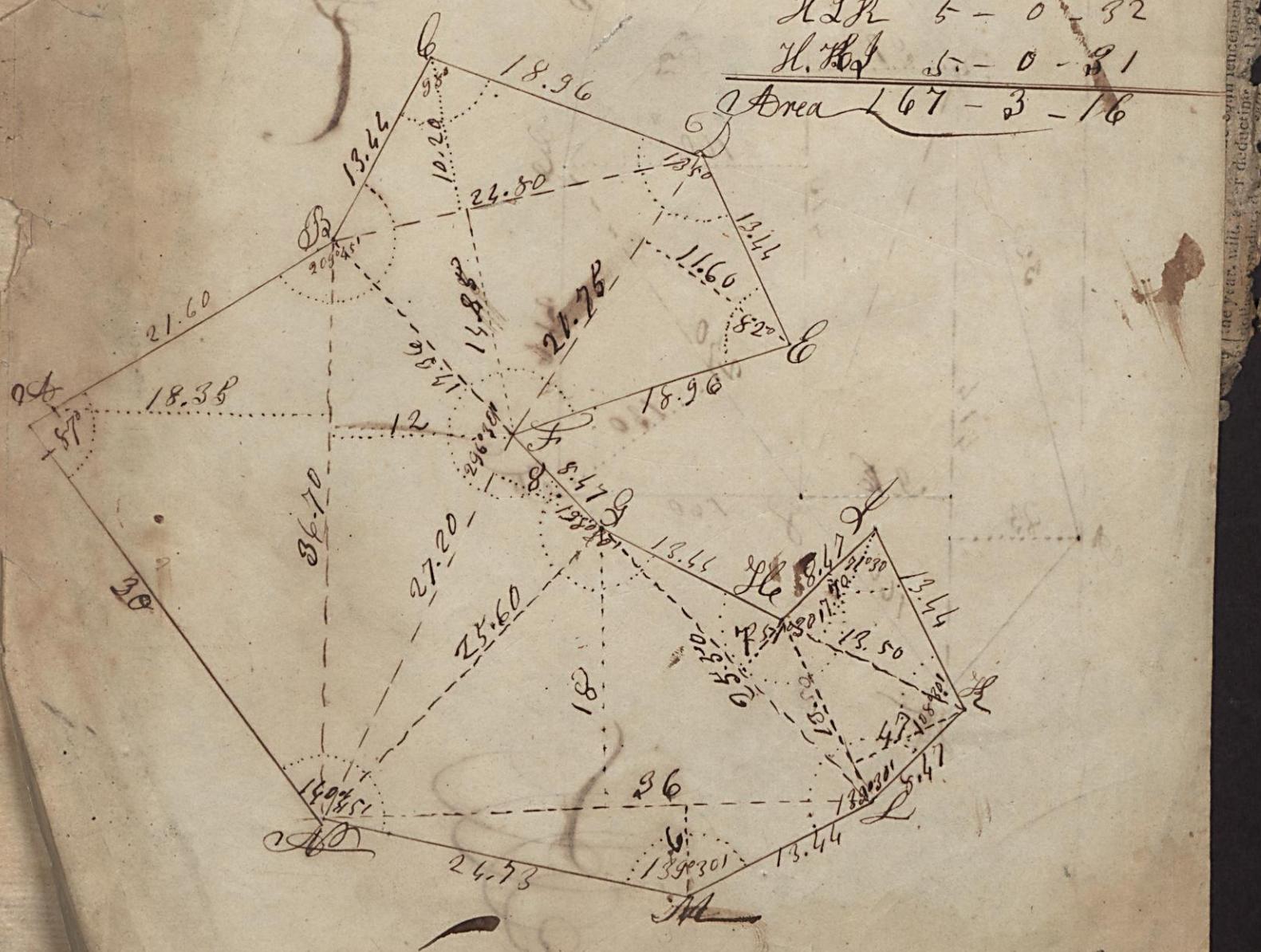
Continued. July 21st 1810.

96	97	98	Courses.	Winds	Sect. of Day.	Remarks on Board Friday May 28 th 1810.
2	5	1	S. $\frac{3}{4}$ W.	E. by N.		Moderate gales and heavy swells.
4	7	9	S. E. $\frac{1}{4}$ W. $\frac{1}{4}$ N.	E.		At 6 P.M. more clear saw Funchal bearing S. E. about 7 or 8 leagues.
6	4	7				At 10 P.M. saw Funchal bearing S. E. about 11 miles.
8	4	7				Clear weather.
10	4	4	S. S. W. $\frac{1}{4}$ W.	E. S. E.		At 10 P.M. came to anchor off Funchal, the westernmost point N. W. of the Bon Rock North of the western head E. S. E. the distance from E. to S. E. Distant about 8 leagues.
12	4	8				Variation $\frac{3}{4}$ Point.
2	5	2	S. W. $\frac{3}{4}$ N.	N. E.		
4	7	2				
6	7	1				
10	4	4				
12						

Course.	Dist.	Dif.	Dep.	Lat. by Obs.	Lat. by D. No.	Mer.	Dif.	Long.	Pearings and Dist.
	Lat. S.	W.				Dist.	Lat.	Long. in.	
S. S. W. $\frac{3}{4}$ N.	99	84	53	32° 32'		8.40	1.4	170.5	Funchal to N.

Example III.

<u>AB.</u>	<u>N</u>	<u>36° 13' E.</u>	<u>Rh L</u>
<u>B C.</u>	<u>N</u>	<u>26° 30' E.</u>	<u>21. 60</u>
<u>C D.</u>	<u>S.</u>	<u>71° 30' E.</u>	<u>13. 44</u>
<u>D E.</u>	<u>S.</u>	<u>26° 30' E.</u>	<u>18. 96</u> <i>triangular stars roads rds</i>
<u>E F.</u>	<u>S.</u>	<u>71° 30' W.</u>	<u>13. 44 A B N° 33. 2. 27</u>
<u>F G.</u>	<u>S.</u>	<u>45° 0' E.</u>	<u>18. 96</u>
<u>G H.</u>	<u>S.</u>	<u>45° 0' E.</u>	<u>8. 47 B C D 12. 1. 27</u>
<u>H I.</u>	<u>S.</u>	<u>63° 30' E.</u>	<u>13. 44 D E F 12. 2. 18</u>
<u>I J.</u>	<u>N</u>	<u>45° 0' E.</u>	<u>8. 47</u>
<u>J K.</u>	<u>S.</u>	<u>26° 30' E.</u>	<u>13. 44 B K D 18. 0. 32</u>
<u>K L.</u>	<u>L.</u>	<u>45° 0' W.</u>	<u>8. 47 B K W 22. 0. 33</u>
<u>L M.</u>	<u>S.</u>	<u>63° 30' W.</u>	<u>13. 44 B G N 10. 0. 38</u>
<u>M N.</u>	<u>N</u>	<u>76° 0' W.</u>	<u>24. 73 G L S 32. 1. 24</u>
<u>N A.</u>	<u>N</u>	<u>36° 45' W.</u>	<u>30. 00 N L M 10. 3. 8</u>

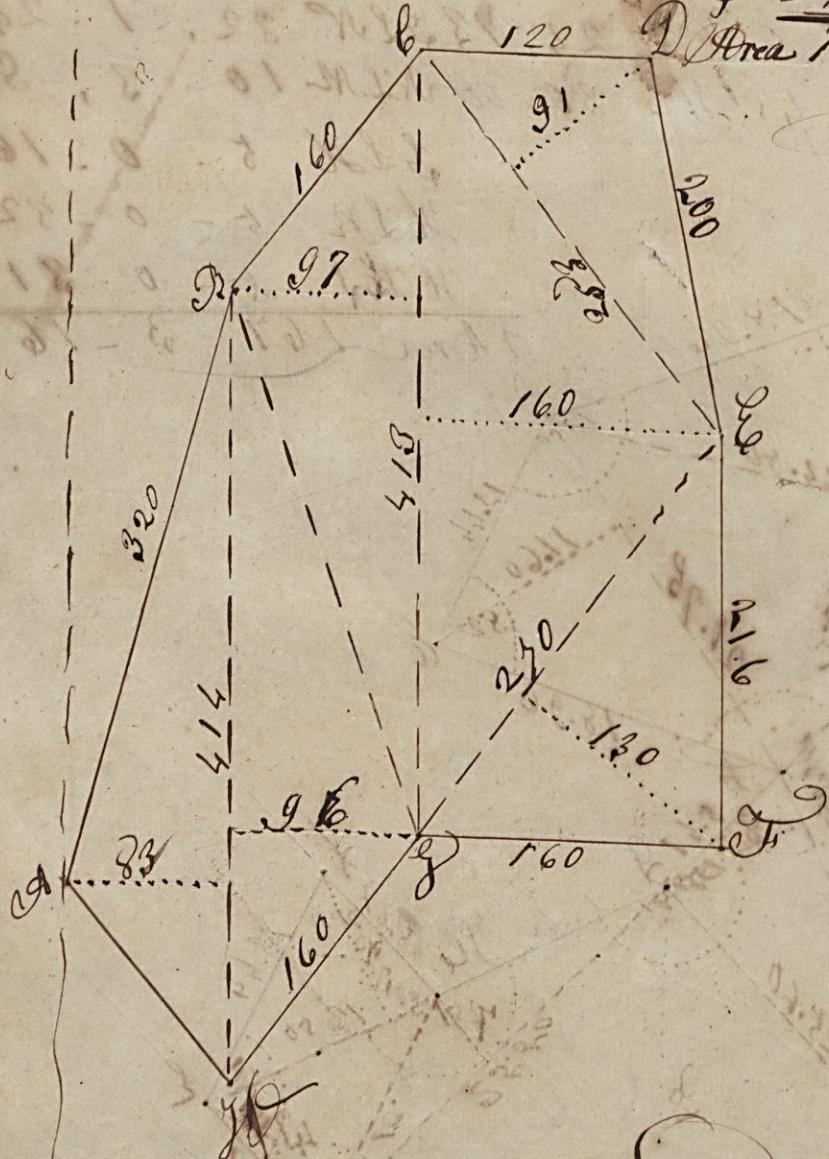


Example IV.

Field Books

N $15^{\circ} 0'$ Roads
 N $37^{\circ} 30'$ E 160
 East $0^{\circ} 0'$ - 120
 S -11° - E 200
 South 216
 West 160
 S $360^{\circ} 30'$ W 160
 N $38^{\circ} 15'$ N 136

Triangular Area Roads rods
 A B H - 107 - 1 - 21
 B C H - 124 - 0 - 30
 G B C - 123 - 0 - 30
 C E G - 206 - 2 - 0
 C D E - 71 - 3 - 31
 E F G - 109 - 2 - 30
 D Area 744 - 3 - 24



the commissioners of the sinking fund must have com-
menced, having debited the publick funds, to which period the ex-
penditure on board at the commencement of the year, will
be added, and the amount of the same will be the third
of the new account, deducting the sum of £ 1000, which
will be paid over to the commissioners of the sinking fund
in the month of January, in the year 1803.

A
N
D
S
So
We
A

29

11.00

59x9.8

estimate it cannot properly be called a loss. If they do offer him a remedy, is it a mandamus issuing from this court?

The first object of the 1st. Has the application of to the commissioners to the concerned in an act of Congress passed in July, concerning the district of C. I. L. 1803.

It appears, from the affidavits, taken in the district in two counties, that including protested bills ties, the 11th section of this law, directs, that advances to agents, yet to be recovered there shall be appointed in and for each of the said counties, such number of discreet persons to be justices of the peace as the President of the United States, shall, from time to time, think expedient, to continue in office for five years.

It appears, from the affidavits, taken in the 1st. Judicial circuit for the several banks, that including their charters—the bank complies with this law, a commission or instalments are paid by their cashiers—the last in of the United States for example, from May 1. 1802, amounting to £ 22,000, on the sum by a positive law. Advances must be made to them therefore to their cashiers, and although states may remain in banks, which is effectually the public treasury although, substan-

tially, not a dollar has been remitted, in yet lying at the order of the cashiers to enable them to make purchases from time to time, it is considered as advances to them.—The Gentlemen have complained of the unfairness of considering any department as debtors, upon which he or to the amount of advance made to its benefit, and consequently every shilling may have been fairly paid, though the accounts have not been settled, all the principal of paid for the public service—yet this is what 60,000 were then are now doing.

Mr. R. said, that he had no doubt that the payments were to be made stated to have been paid, had been accordingly due, and duly disbursed, because he had all the evidence of the whole debtance which the case admitted. When a member of the committee of the printed law's, must be relied upon, at least on for that. But wishing to give every attainable satisfaction to the house, and the public, he hoped the resolution would pass, and he gave notice that in case it did meet some difficulties, he would immediately, that the chairman might present his hand to any letter which the mover might have been signed by the president of the U. S. or by the Senate, by and with the consent of the Senate, or by the President alone; or to make out and record, and file any commission before the same shall be presented to the president of the U. S.

These are the clauses of the constitution and laws of the United States, which will comprehend three distinct operations.

1st. The creation of the Court of the President, and its

2nd. The opinion of the Supreme Court of the United States, which will be given in this period.

[Urgent to be Continued]